

**Main Results of CAST-10 Airfoil
Tested in T2 Cryogenic Wind Tunnel**

**A. Blanchard, A. Seraudie, and J. F. Breil
ONERA/CERT
DERAT
Toulouse-France**

INTRODUCTION

The aims of the cooperation NASA/DFVLR/ONERA

- * Examine Re, M, and Transition effects on a very sensitive airfoil, systematically tested previously.
- * Evaluation of the airfoil characteristic prediction
 - comparison experimental/theoretical results
 - comparison adaptive walls/conventional wind tunnel results
- * Mutual help for T2 , 0.3m TCT , TWB (Braunschweig)
 - Gives us more experience for airfoil tests under cryogenic operation (second cryogenic airfoil tests)
 - lots of experience with adaptive wall techniques

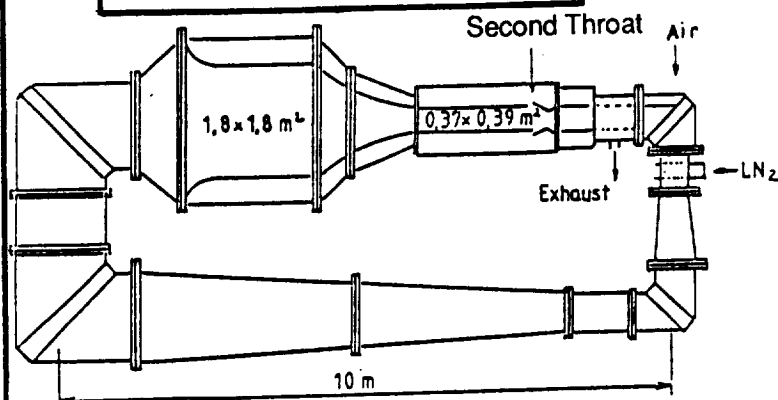
2 Series of Tests in T2

-1 st in November	1984
-2 nd in April	1985

Model

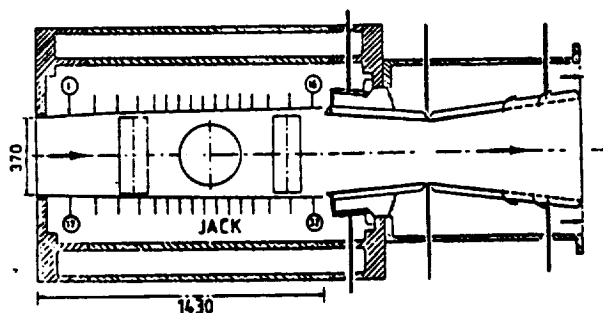
- * Designed by Dornier
- * Manufactured by ONERA
- * Chord= 180mm , Width= 560mm
- * 103 pressure tapes (L.E. \varnothing 0.1mm)
- 21 thermocouples (15 in the skin region)

T2 Wind Tunnel



- * Transonic
- * Pressurized
- * Cryogenic
- * Adaptive walls

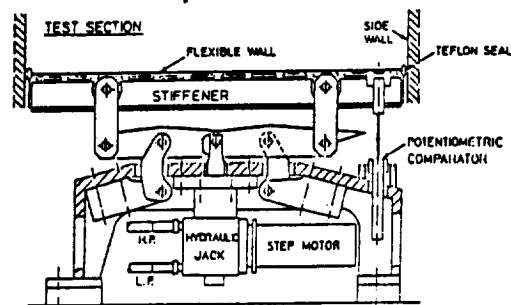
- Air induction
- LN2 injection
- Internal insulation



- Control by computer
- Runs = 30s to 60s
- Model precooling
 - { outside
 - { in the test section

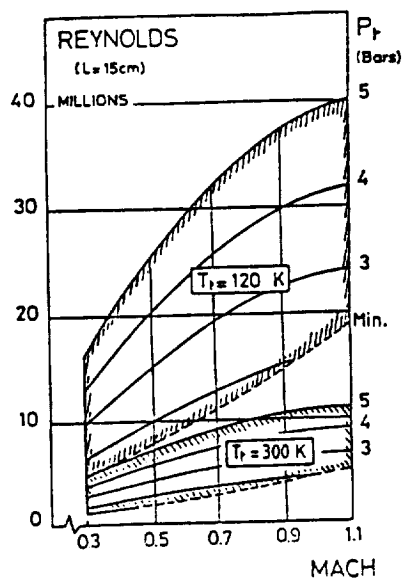
WALL DISPLACEMENT MECHANISM

Adaptive Walls



$$\frac{\sqrt{p^{*2}}}{q} = 0.004$$

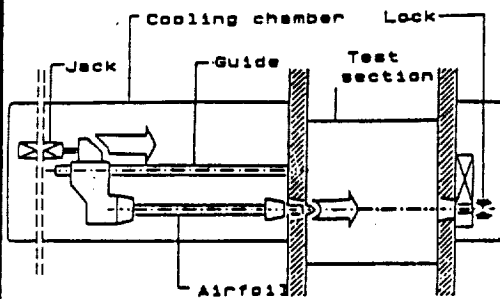
$$Tu = 0.1 \%$$



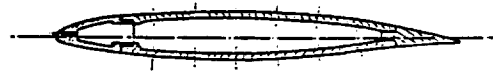
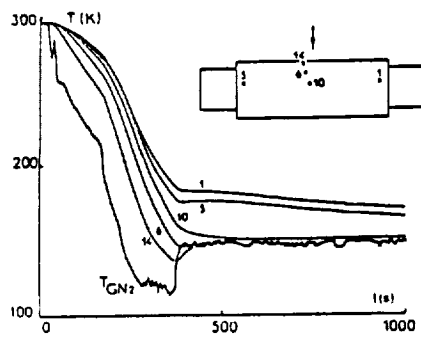
Operational envelope

- $0.6 < Mo < 0.9$
- $1.6 < Pt < 3 \text{ bars}$
- $110K < Tt < T_{\text{amb}}$
- $100\text{mm} < \text{Chord} < 200\text{mm}$
- $Rc < 30 \cdot 10^6$

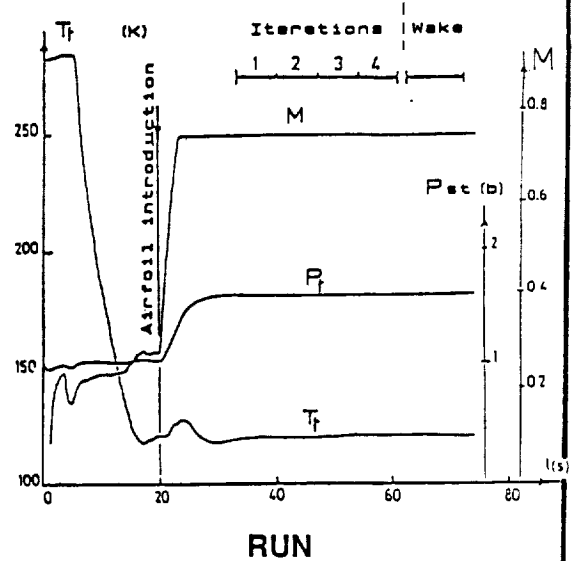
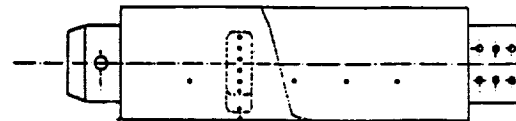
T2 Run



Model Precooling



CAST 10



* A part of the model is hollow

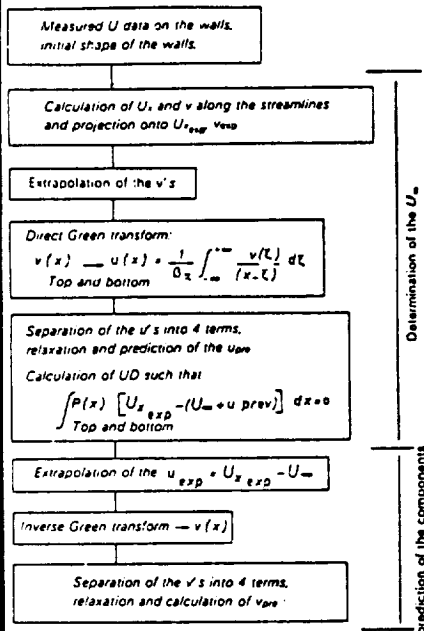
- * [
 - Model is cooled outside before the run
 - Start of the run at low Mach number (0.3)
low pressure (1.1 b)
selected temperature
 - Introduction of the model in the test section
($T_{\text{model}} = T_{\text{flow}}$)
 - Increase of (M, P_t) at the required level

- * [
 - Wall adaptation, measurements on the walls and
on the model
 - Other measurements (Wake)

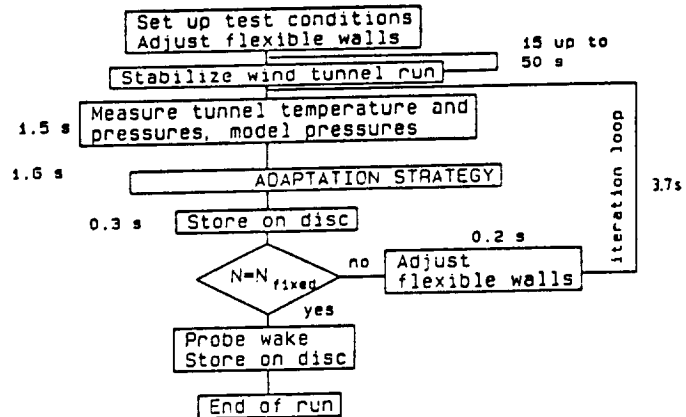
- * [
 - End of the run (one configuration has been tested)

2-D Adaptation

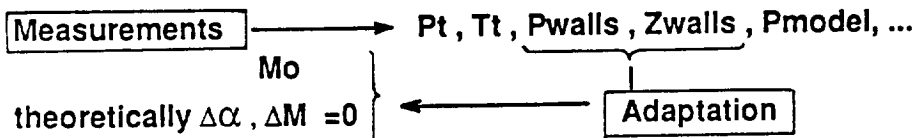
2-D Adaptation Strategy



Adaptation Flowchart



* **Regulation** by computer. (M,P,T) Independent



* **Principle rather simple**

internal field- measured (walls) } Iterations until they are
external field-calculated(Green) } equal on the control surf.

Accuracy of the method

u,v extrapolation → $\pm \infty$

u,v streamline projection on a straight line

Strategy rather complicated to obtain rapidly the convergence

- Mo calculation (field around the model)
- separation in 4 elementary terms
- relaxation coefficients

Convergence criterion: until no variations (Pwalls,Zwalls, Pmodel)

* Convergence in 3 or 4 iterations in a run (each one ≈ 5s)

* Residual errors $\Delta M \approx 0.002$, $\Delta\alpha \approx \pm 0.02^\circ$

Measurement Accuracy

- * **Model : good quality (shape, surface roughness,...)**
(very important for Natural Transition,
some problems at High Reynolds Number)

* Steady flow accuracy

$P_t = 3$ bars $T_t = 120$ K $M = 0.8$ $C_L = 0.5$	Instrumentation	Control	Aerodynamic Field	
	* Calibration	* Computer process * Mechanical limits	* Adaptive walls	* Gradients
Pressure	0.001 bar	0.004 bar		
Temperature	0.3 K	0.4 K		< 0.5 K (wall: 10 K)
Mach number	0.002	0.001	0.002	
Angle of attack	0.02°		0.02°	

Control / Adaptive walls : $\Delta M = 0.005$
 Model temperature $T_w/T_{aw} = 1.015$

Flexible wall shape : $\Delta y = + 0.1$ mm

- * **Flow quality** (important for Natural Transition)
 - **Pressure fluctuations** (low levels)
 - **Velocity fluctuations** (due to pressure fluctuations)
 - **Temperature fluctuations** (seem reasonable)
 - **Uniformity in the test section** (good enough)
 - **Purity of the fluid** (moisture is the most important
problem for flow quality in a cryogenic wind tunnel)

* Side wall boundary layers

seems a real problem ($\Delta \alpha = 0.1$ to 0.2°)

CAST 10 Tests in T2

1 st series of tests	* Natural Transition	T.N.										
$R_c = 4 \cdot 10^6$	<table><tr><td></td><td>$0.69 < M < 0.77$</td></tr><tr><td>$+3^\circ$</td><td rowspan="3">lot of values</td></tr><tr><td>α</td></tr><tr><td>-2°</td></tr></table>		$0.69 < M < 0.77$	$+3^\circ$	lot of values	α	-2°					
	$0.69 < M < 0.77$											
$+3^\circ$	lot of values											
α												
-2°												
$6 \cdot 10^6 < R_c < 30 \cdot 10^6$	<table><tr><td>$M=0.7$</td><td>$\alpha=+1^\circ$</td></tr><tr><td>$M=0.73$</td><td>$\alpha=-0.25^\circ$</td></tr><tr><td>$M=0.76$</td><td>$\alpha=+0.25^\circ$</td></tr><tr><td>$M=0.765$</td><td>$\alpha=+0.25^\circ$</td></tr><tr><td colspan="2">+some scatter points</td></tr></table>	$M=0.7$	$\alpha=+1^\circ$	$M=0.73$	$\alpha=-0.25^\circ$	$M=0.76$	$\alpha=+0.25^\circ$	$M=0.765$	$\alpha=+0.25^\circ$	+some scatter points		
$M=0.7$	$\alpha=+1^\circ$											
$M=0.73$	$\alpha=-0.25^\circ$											
$M=0.76$	$\alpha=+0.25^\circ$											
$M=0.765$	$\alpha=+0.25^\circ$											
+some scatter points												
Nb of runs = 160												

2nd series of tests

* Tripped Transition

T.D.

$h=0.045\text{mm}$ $Xt/C = 5\%$

	$0.7 < M < 0.765$
$+4^\circ$	lot of values
α	
-2°	

$Rc = 4 \cdot 10^6$

$6 \cdot 10^6 < Rc < 27 \cdot 10^6$

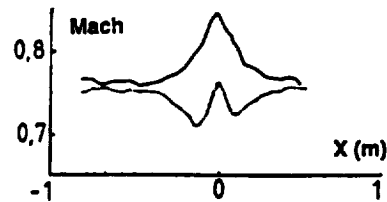
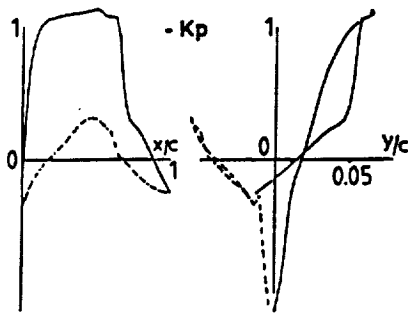
$M=0.7$	$\alpha = +1^\circ$
$M=0.73$	$\alpha = -0.25^\circ$
$M=0.76$	$\alpha = +0.25^\circ$
$M=0.76$	$\alpha = +1^\circ$
$M=0.765$	$\alpha = -2^\circ$
$M=0.765$	$\alpha = +2^\circ$

Nb of runs = 90

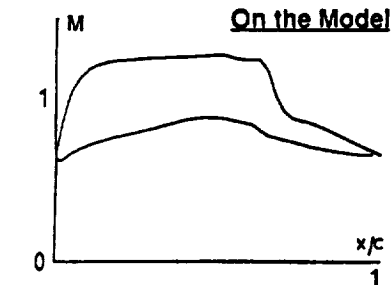
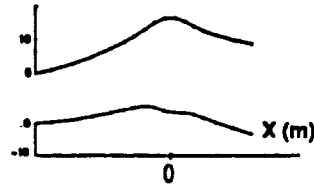
		* Half Tripped Transition	T.1/2D.					
(lower surface)								
$Rc = 4 \cdot 10^6$	α	<table><tr><td></td><td>$0.73 < M < 0.78$</td></tr><tr><td>$+2^\circ$</td><td rowspan="3">some values</td></tr><tr><td>-2°</td></tr></table>		$0.73 < M < 0.78$	$+2^\circ$	some values	-2°	
	$0.73 < M < 0.78$							
$+2^\circ$	some values							
-2°								
$6 \cdot 10^6 < Rc < 14 \cdot 10^6$			<table><tr><td>$M=0.73$</td><td>$\alpha = -0.25^\circ$</td></tr><tr><td>$M=0.76$</td><td>$\alpha = +0.25^\circ$</td></tr></table>	$M=0.73$	$\alpha = -0.25^\circ$	$M=0.76$	$\alpha = +0.25^\circ$	
$M=0.73$	$\alpha = -0.25^\circ$							
$M=0.76$	$\alpha = +0.25^\circ$							
Nb of runs = 45								

12

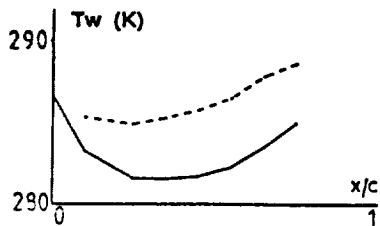
Measurements at each run



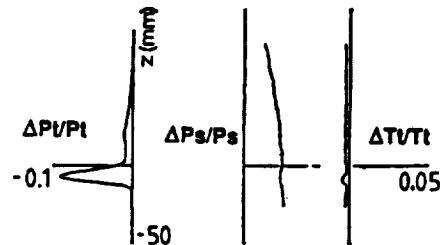
On the Walls



On the Model



Wake



+ Oil Visualisation ---> 2-D of the flow

(Shock, Transition, Bubble, Separation,...) locations .

* Tunnel	---	Pt , Tt	
* M walls	---	Infinite conditions	Mo
Z walls		Streamline convergence (C_L not exploited here)	
* Kp	---	C_L	(C_D) pressure
* M model	---	Shock location, B.L./Shock wave interaction lam. Bubble , T.E. separation , L.E. peak , ...	
* Tw	---	Equilibrium (B.L. information not exploited here)	
* Wake	---	C_D (Pt Ps and Tt probes, 400 pts in a wake) B.L./Shock wave interaction	

Transition Detection in a Transonic Cryogenic Tunnel

Measure

	Surface	Lines	Points
T = 300K	<div>- Oil visualisation</div> <div>- Infrared</div>	<div>- Pt longitudinal probing</div>	<div>- Skin friction gauges</div> <div>- Thermocouples</div>
100K	<div>-(small CO₂ icing)</div>		



used for CAST 10 tests

not exploited - - -

Identification

Mach number on the airfoil	Laminar bubble separation	"Bump" if $M_{local}=1$	Lam. or Turb. B.L./Shock wave interaction
On Wake shape			

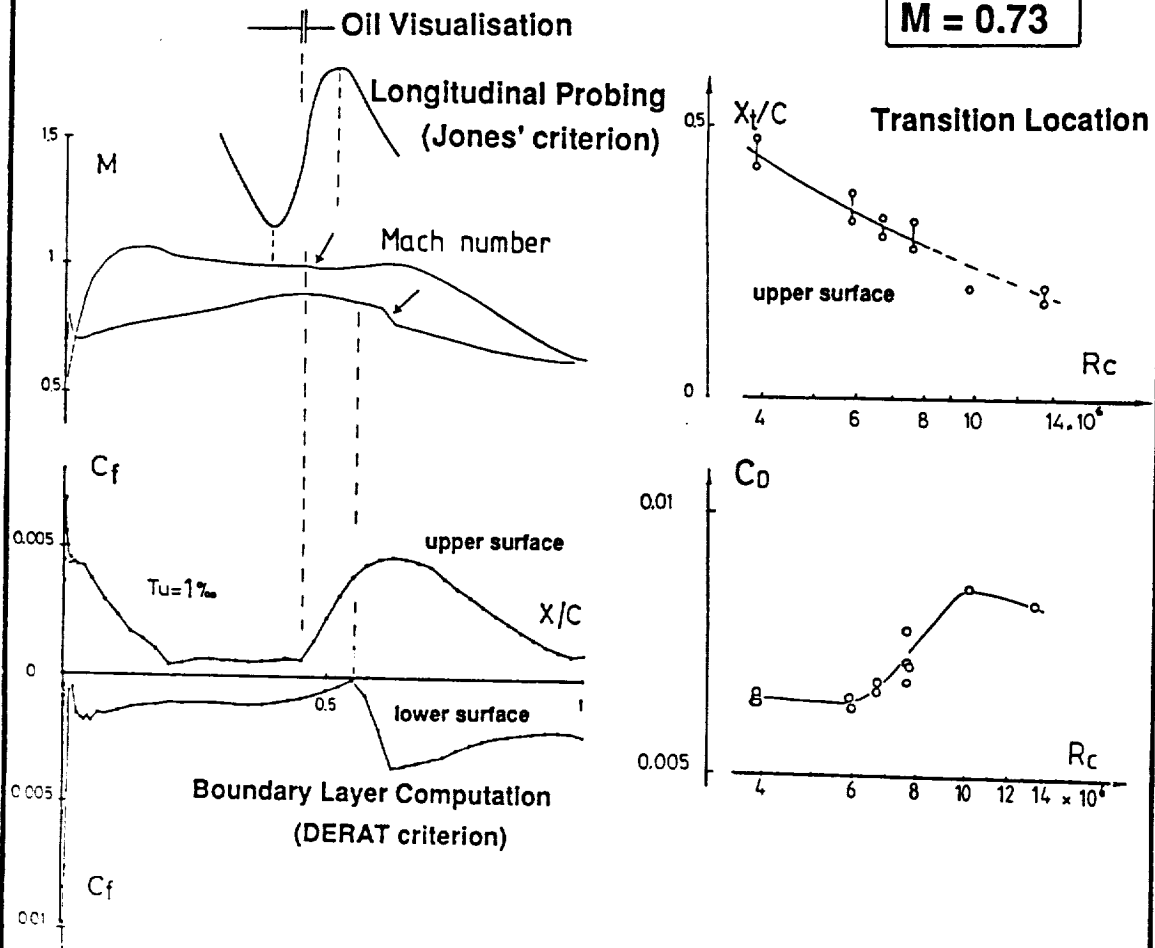
Estimation

- Aerodynamic coefficients $C_D(Re)$, $C_L(Re)$
- T.N. / T.D. comparisons
- Experiment / calculation comparisons

Reynolds Number Effects

$$\alpha = -0.25^\circ$$

$$M = 0.73$$



* Good correlation of the estimated transition locations

- from :
- oil visualisation
 - longitudinal probing
 - local Mach number distortion
 - computation

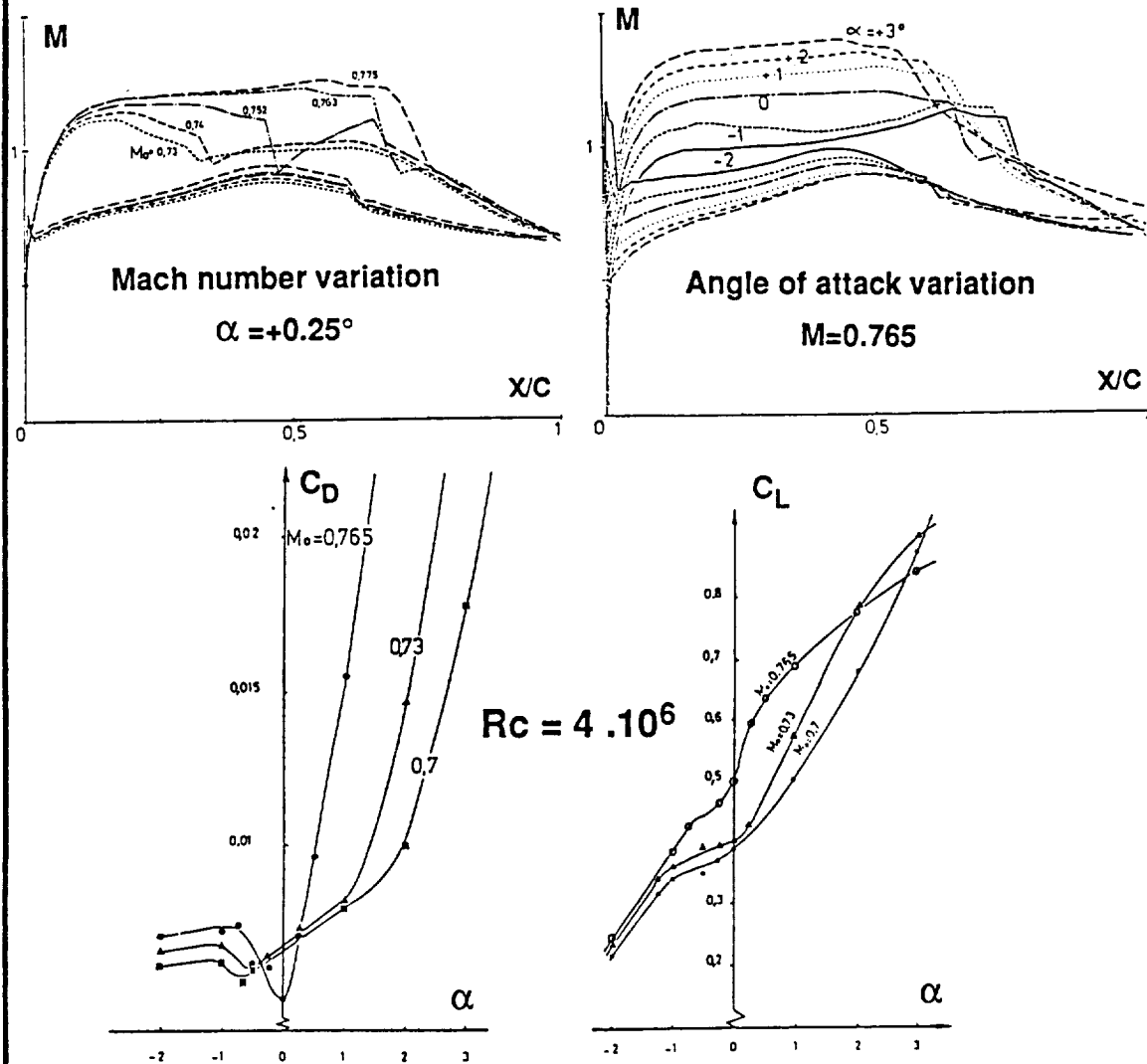
* The transition location moves with the Reynolds number

- regularly on the upper surface
- suddenly on the lower surface (60% \rightarrow L.E. for $R_c = 7.10^6$)

* These transition displacements explain the $C_D(Re)$ evolutions

- direct Re effect : $(Re \nearrow) \rightarrow (C_D \searrow)$
- indirect Re effect : $(Re \nearrow) \rightarrow (X_t/C \searrow) \rightarrow (C_D \nearrow)$

Natural Transition



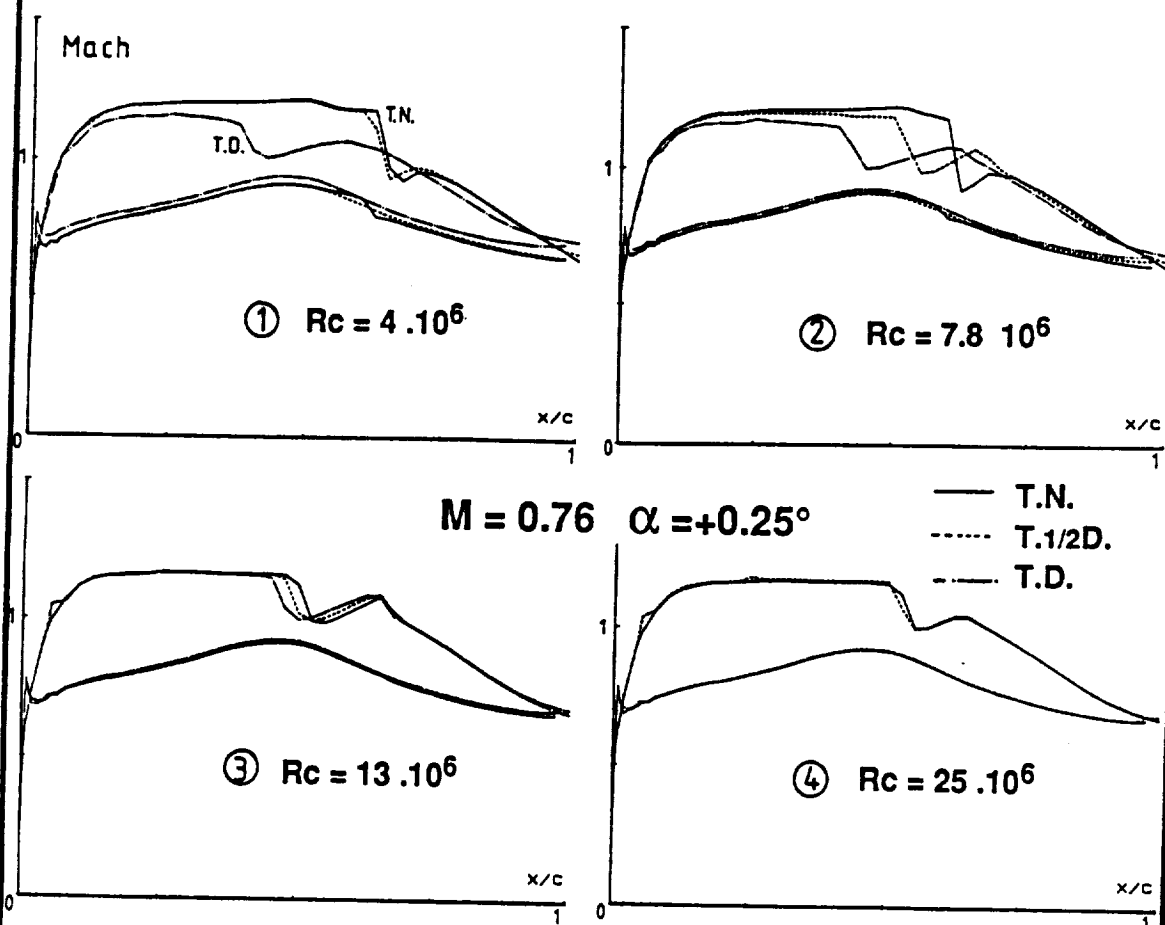
*Unusual $C_L(\alpha)$ and $C_D(\alpha)$ evolutions at $Rc=4 \cdot 10^6$
due to transition displacements

	upper surface	lower surface
$\alpha < -1^\circ$	lam.	Peak at the L.E.
$\alpha = 0^\circ$	(turb.)	
$\alpha > 0^\circ$	lam.	60%

(must be examined for each Mo)

* + Classical effects of shock wave, and T.E. separation

T.N / T.1/2D. / T.D. Comparison



* At low Re : very different

* T.1/2D.

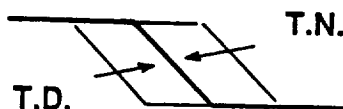
upper surface = T.N.
 lower surface = T.D.

?

NO

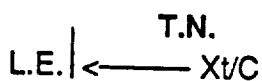
upper/lower S. coupling

* Shock wave location



with Re

* Transition

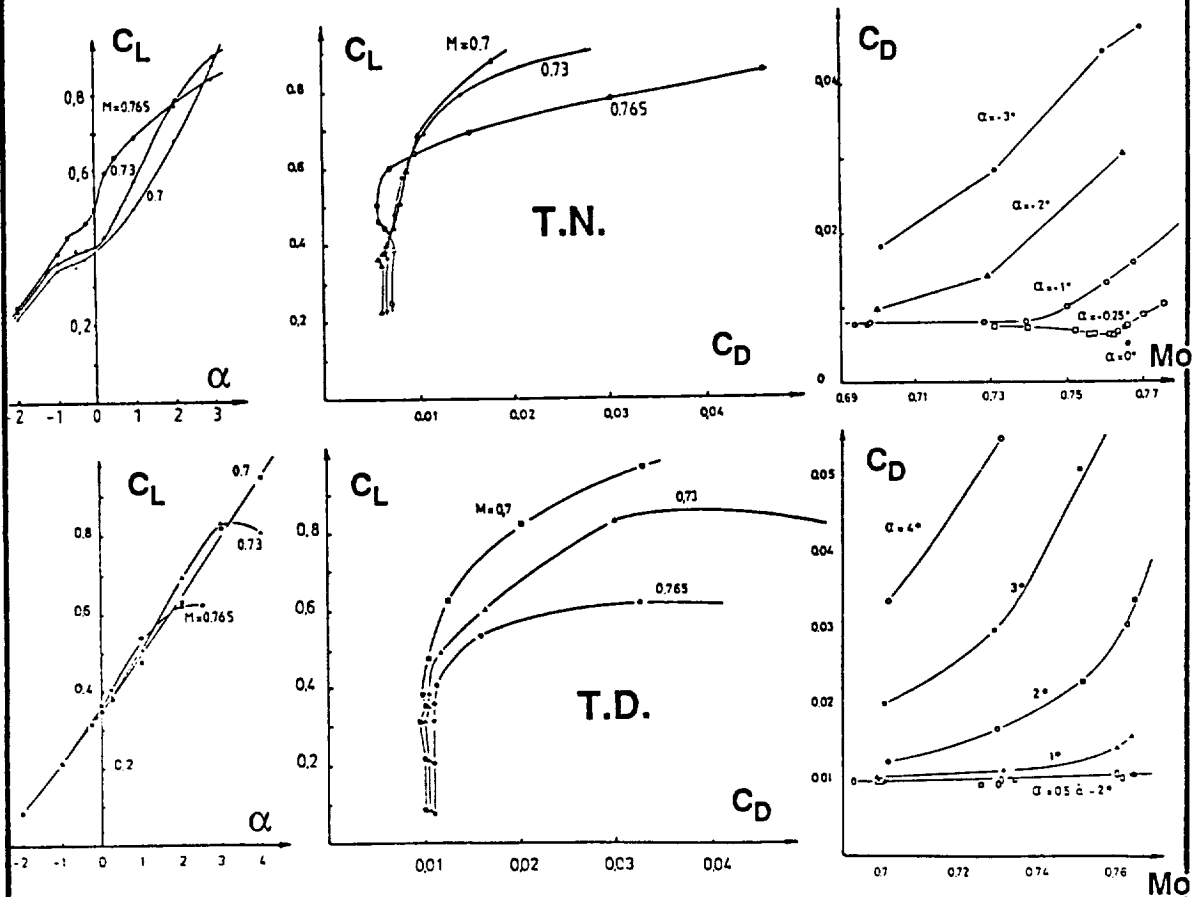


with Re

* At high Re : T.N. = T.D.

CAST 10 Airfoil Characteristics

$Rc = 4 \cdot 10^6$



* Very different results with boundary layer conditions

* Smoother curves in T.D.

* The divergence Mach number is not very affected
but, C_D levels are different

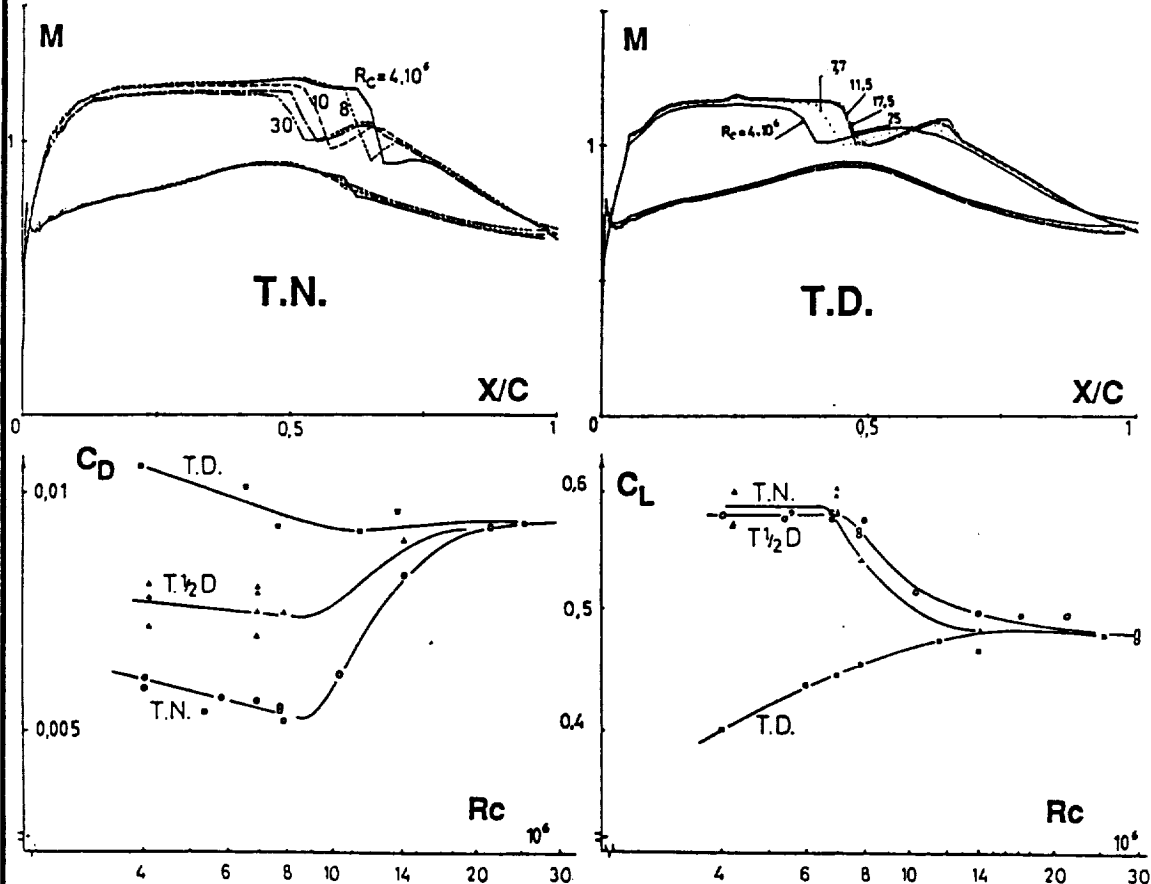
* $(C_L)_{max}$ is higher in T.N.

* Typical $C_L(C_D)$ laminar airfoil shape (M=0.765)

* (C_L / C_D) ratio higher in T.N.

Aerodynamic Coefficient Evolutions with the Reynolds Number

$M = 0.76 \quad \alpha = +0.25^\circ$



* Comparison of (T.N. / T.1/2D. / T.D.)

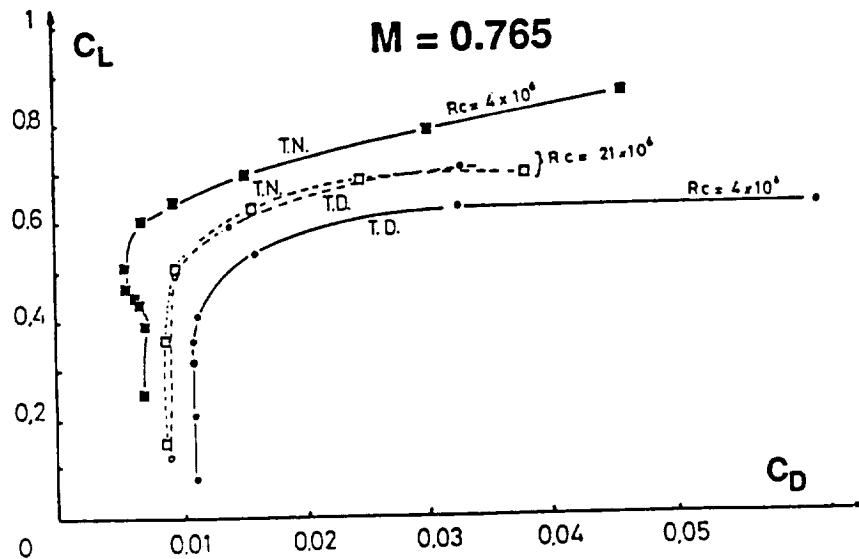
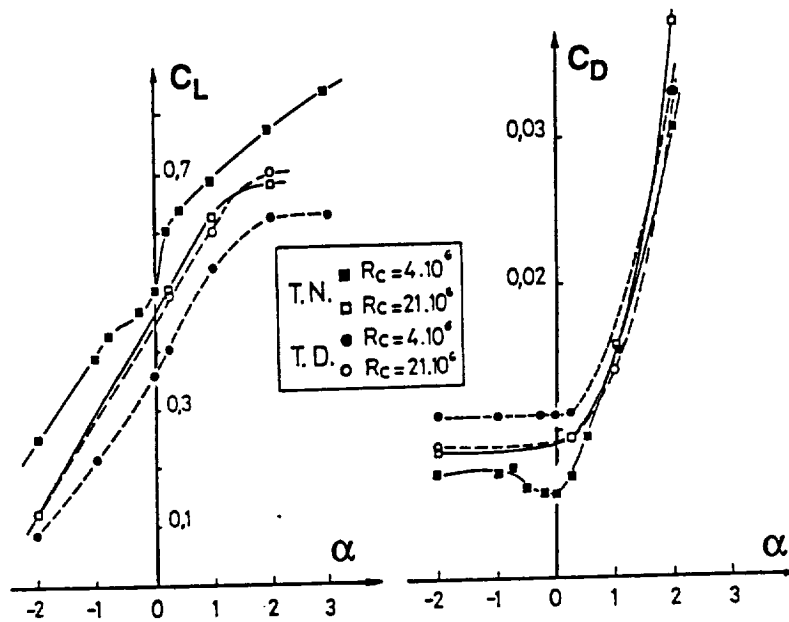
- precises the transition motion in T.N. ,
- precises the C_D and C_L evolutions ,
- partly dissociates what is due to upper and lower surfaces
- gives confidence in the results

* The CAST 10 airfoil is still laminar at $Rc = 8 \cdot 10^6$

this must be considered as a success for T2 performances

* At $Rc \geq 20 \cdot 10^6$, transition is near the L.E.

Airfoil Performances



* High airfoil performances in laminar flow

* Inverse evolutions with the Reynolds number in T.N. and T.D

* Same results at $Rc = 20 \cdot 10^6$

Conclusions

- Good model quality (necessary for T.N. measurements)

* T2 tests

- General characteristics of the CAST 10 airfoil
(M , α , Rc , Free/Fixed transition)
- Fundamental studies on Reynolds number effects
 - The T.N. and T.D. evolutions are very different
 - Comprehension of phenomenon in T.N.
 - Interest of the laminar airfoil
- Analysis of some special points
 - T_w / T_{aw} effects
 - Thermal equilibrium
 - Estimation of the transition location under cryogenic operation
 - Cross control for Rc (P, T)
- Good T2 cryogenic operation
 - Adaptive wall functioning = T_{amb} .
 - Laminar studies : O.K. for $Rc \leq 8 \cdot 10^6$
pbs at higher Reynolds Number
 - Improvements must be done
for moisture elimination
for side wall boundary layer effects

* Comparison with prediction methods

----> ONERA results (J. Thibert)

* Comparison with others tunnel results

----> (J. Thibert) and (workshop)

**TEST DATA ANALYSIS
AND
THEORY - EXPERIMENT COMPARISONS**

**J. J. THIBERT
TRANSPORT AIRCRAFT DIVISION
AERODYNAMICS DEPARTMENT
ONERA (FRANCE)**

**ONERA / DFVLR / NASA COOPERATION
ON CRYOGENIC AND ADAPTIVE WALLS
TECHNOLOGIES FOR AIRFOIL TESTING**

- OBJECTIVES

**EXPERIMENTAL TEST ON THE CAST 10 AIRFOIL
IN THE ONERA T2 TUNNEL IN ORDER TO PROVIDE
DATA AT FLIGHT EQUIVALENT REYNOLDS NUMBER
ON A SUPERCRITICAL AIRFOIL**

**COMPARISON OF DATA ON THE SAME MODEL IN
SEVERAL WIND TUNNELS**

**CAST 10 AIRFOIL WORKSHOP
SUMMARY OF THE PRESENTATION**

T2 TEST ANALYSIS

T2 - TCT DATA COMPARISONS

COMPUTER CODES DESCRIPTION

THEORY - EXPERIMENT COMPARISONS

CONCLUSION

T2 TEST ANALYSIS

-- TRANSITION EFFECT

$$M = 0.765 \quad Re = 4 \times 10^6$$

-- REYNOLDS NUMBER EFFECT

$$M = 0.765 \quad \alpha = 0.25$$

-- TRANSITION EFFECT

$$M = 0.765 \quad Re = 20 \times 10^6$$

-- MACH NUMBER EFFECT

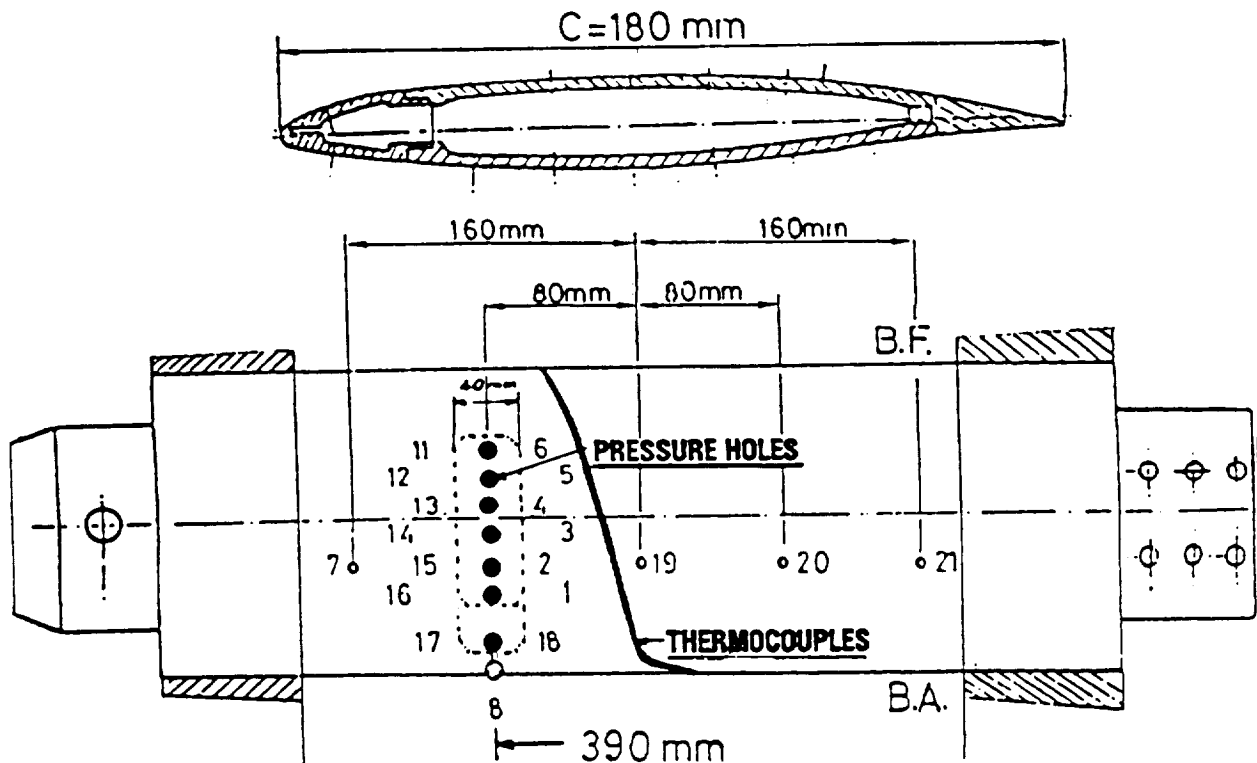
fixed transition

$$Re = 25 \times 10^6 \quad \alpha = 0.25$$

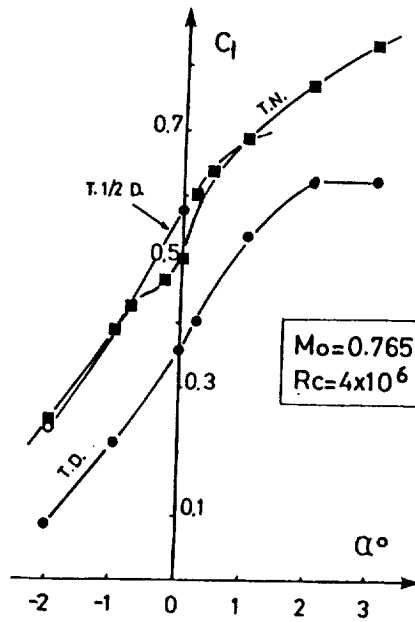
-- REYNOLDS NUMBER EFFECT

$$M = 0.73 \quad \alpha = 0.25$$

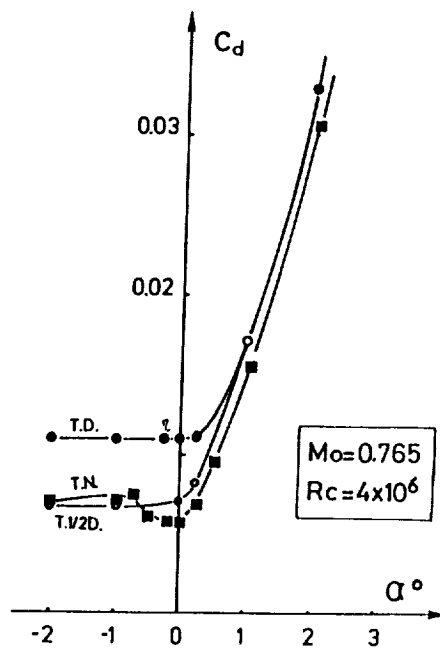
CAST 10 AIRFOIL MODEL



TRANSITION EFFECT

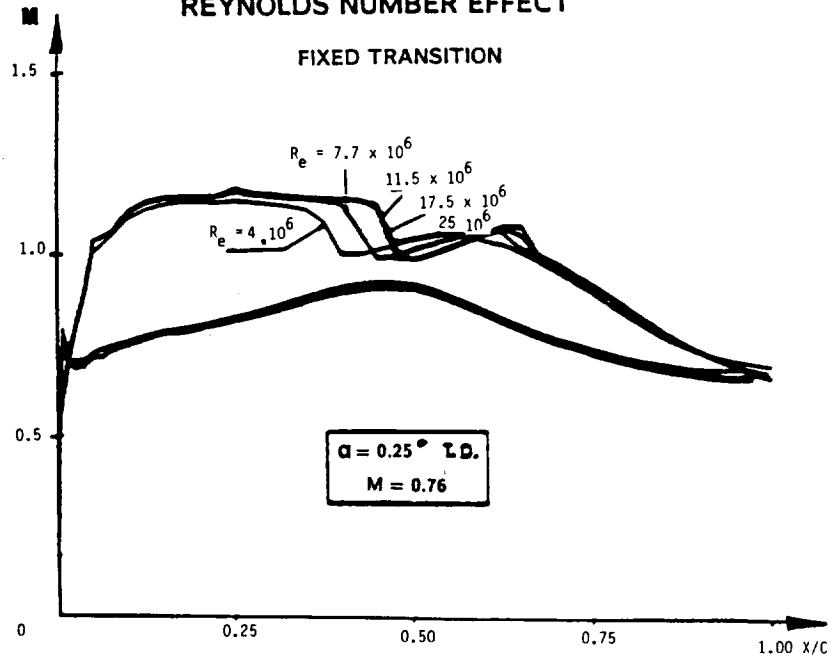


TRANSITION EFFECT



MACH NUMBER DISTRIBUTION REYNOLDS NUMBER EFFECT

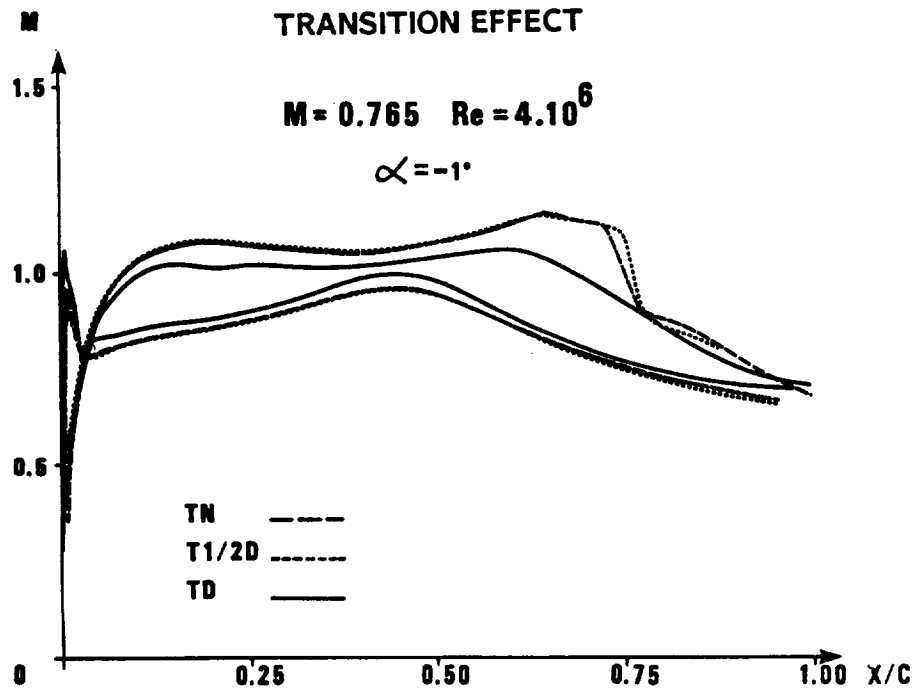
FIXED TRANSITION

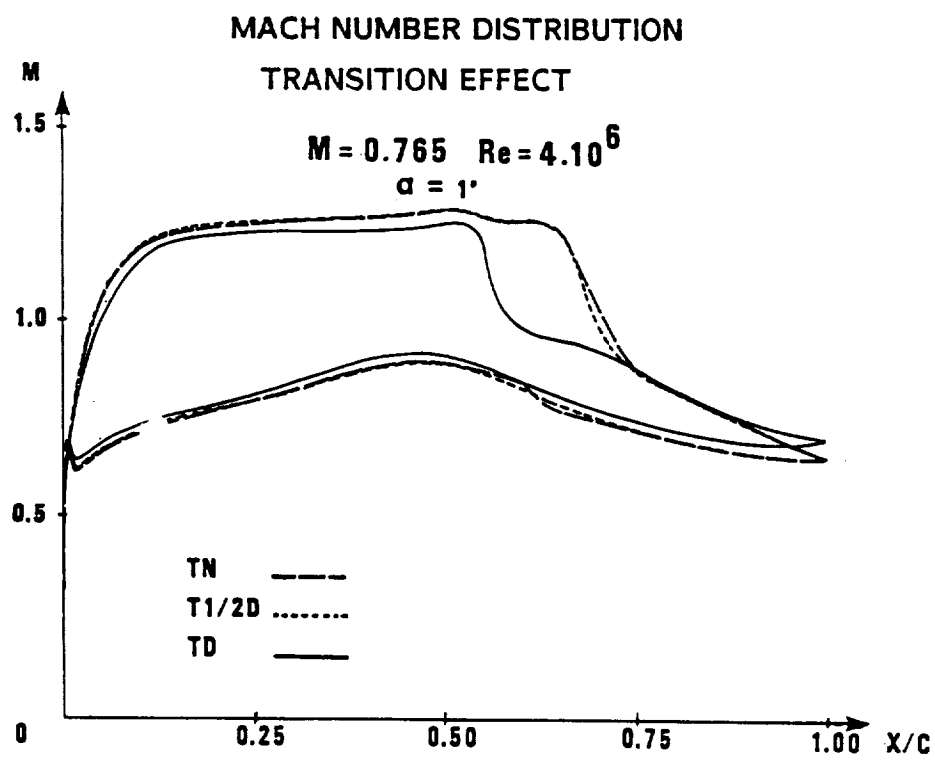
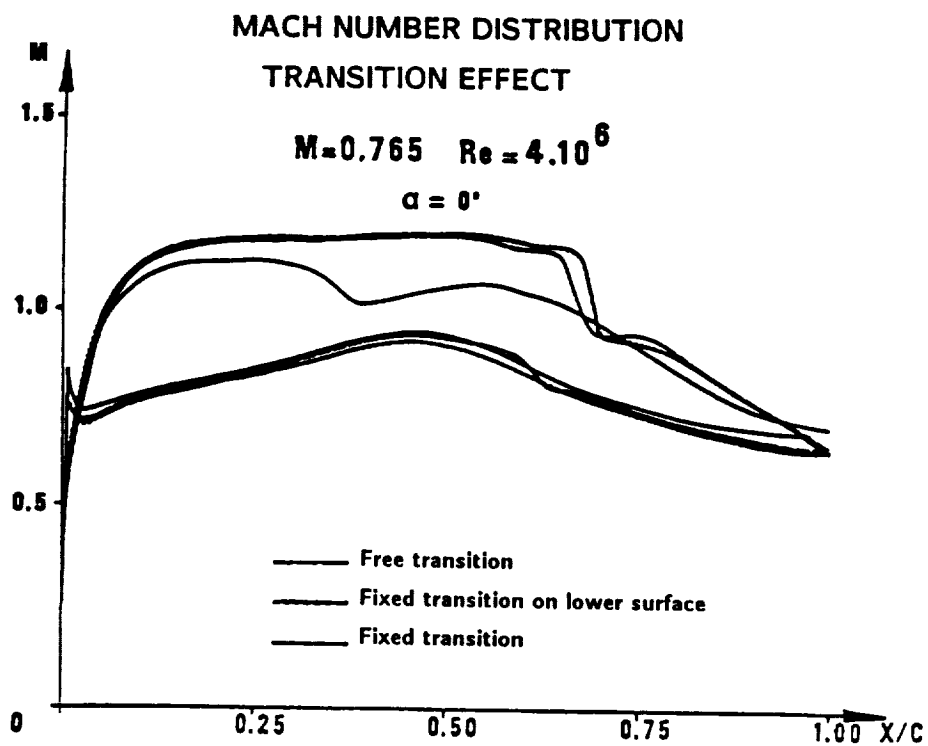


MACH NUMBER DISTRIBUTION TRANSITION EFFECT

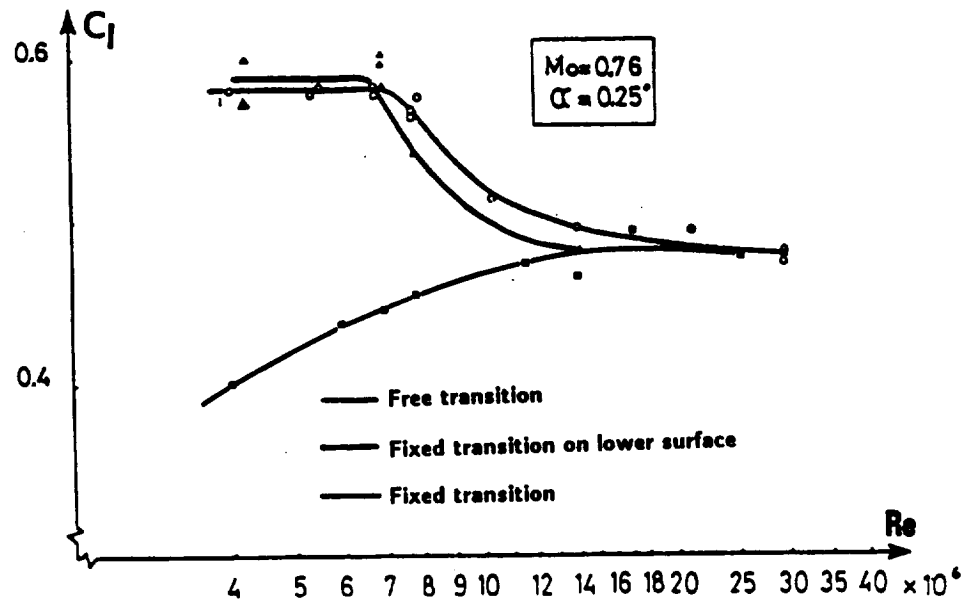
$M = 0.765$ $Re = 4.10^6$

$\alpha = -1^\circ$

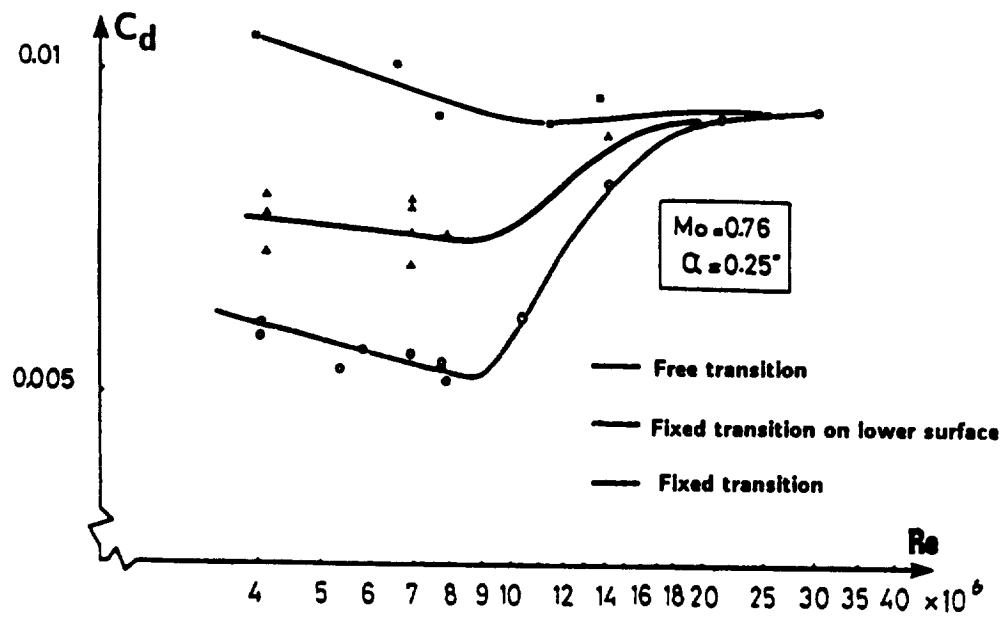


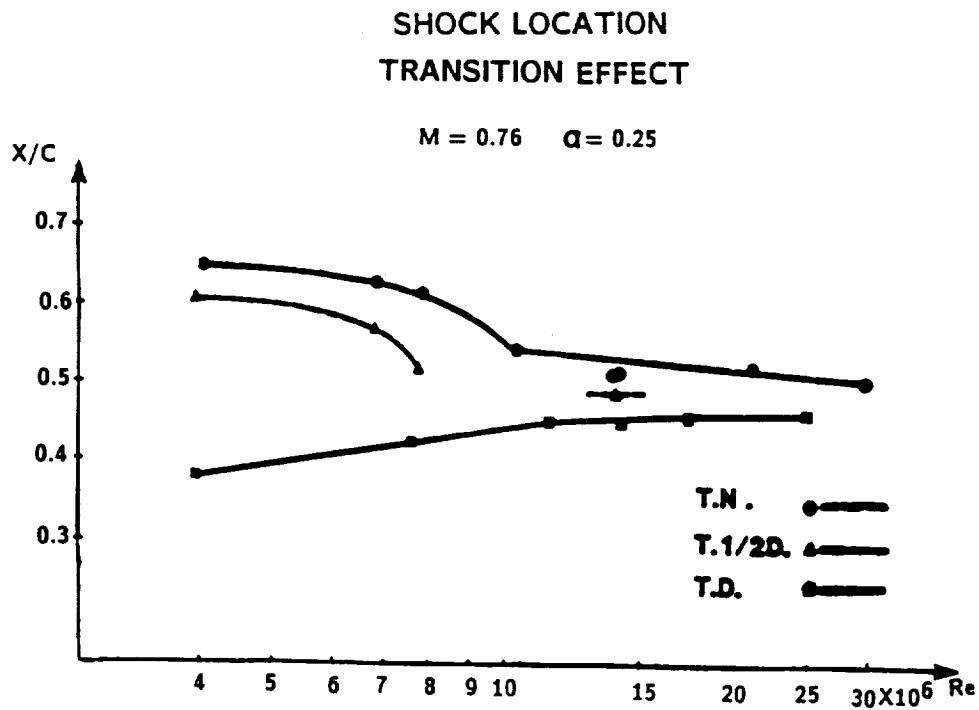
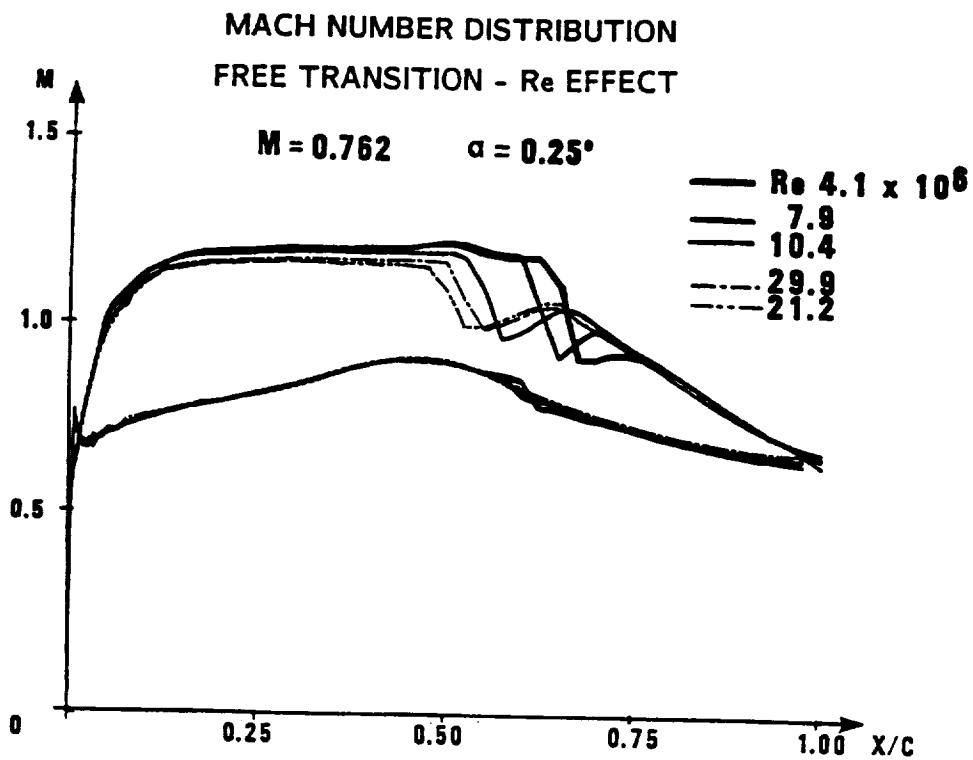


T2 TESTS **EVOLUTION OF THE LIFT COEFFICIENT WITH THE REYNOLDS NUMBER**

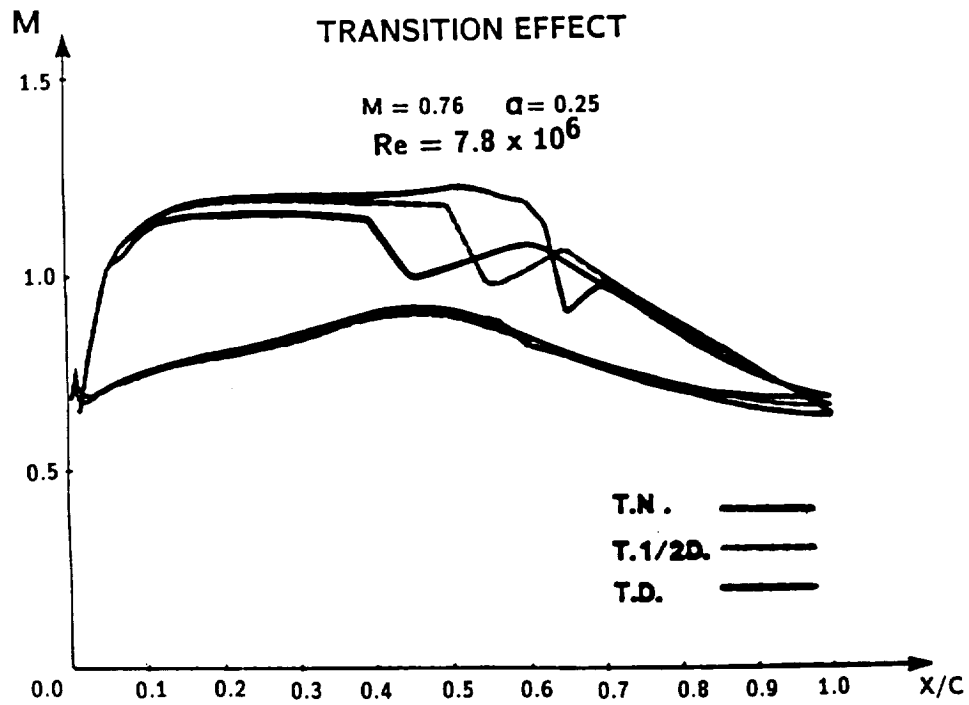


T2 TESTS **EVOLUTION OF THE DRAG WITH THE REYNOLDS NUMBER**

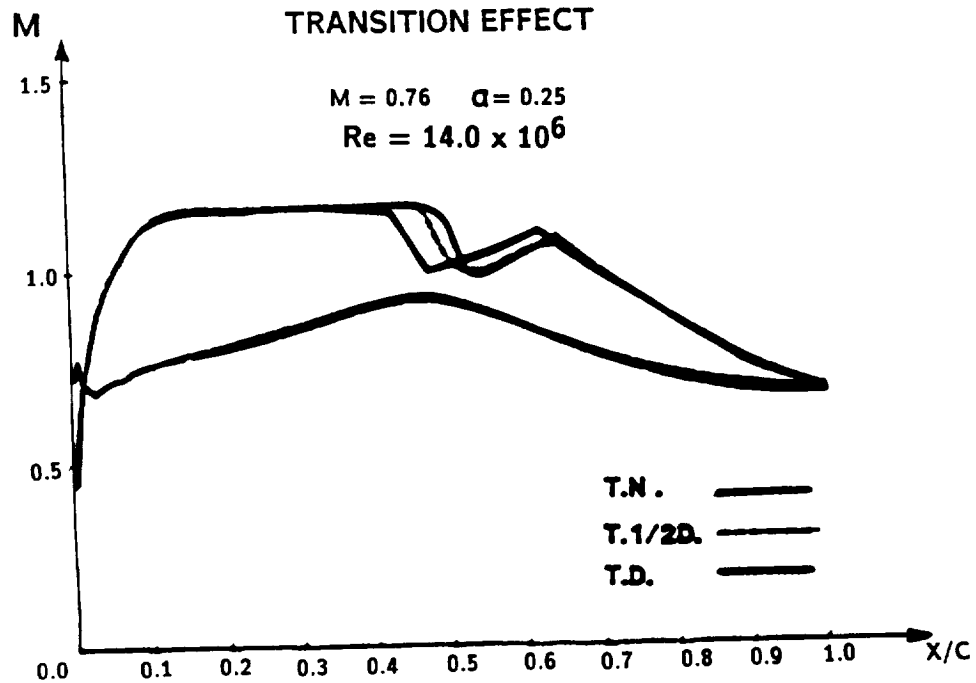




MACH NUMBER DISTRIBUTION TRANSITION EFFECT



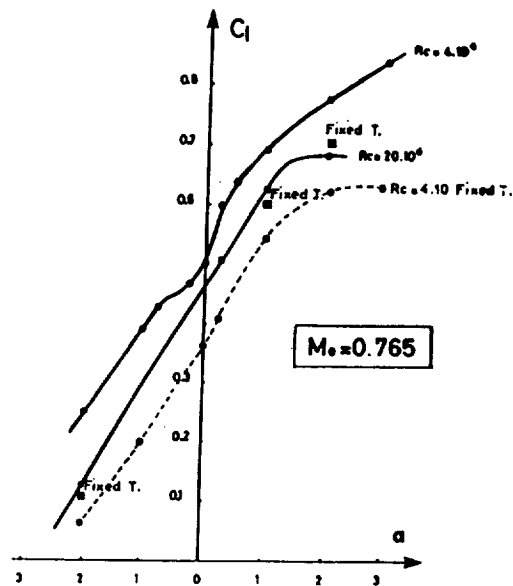
MACH NUMBER DISTRIBUTION TRANSITION EFFECT



REYNOLDS NUMBER EFFECT

$M = 0.765$

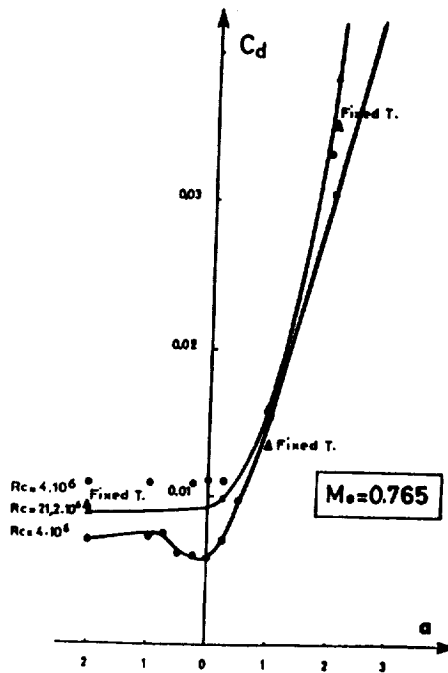
FREE TRANSITION



REYNOLDS NUMBER EFFECT

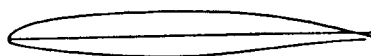
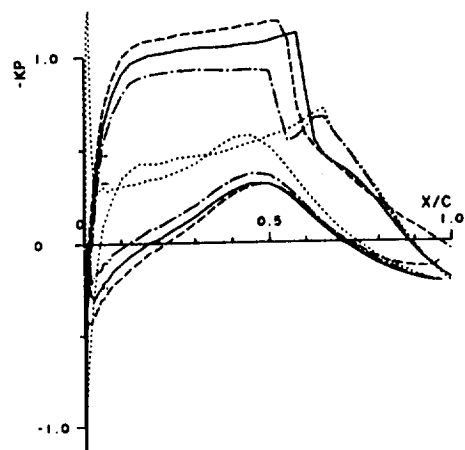
$M = 0.765$

FREE TRANSITION



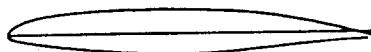
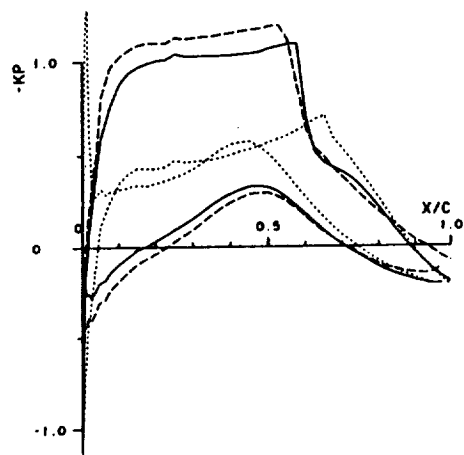
T2 T.N. M=0.765 RE=21.106

NUM.	MACH	ALPHA	RE	CZ	CX	CM
121	.764	-2.00	21.3	.110	.00870	-.07500
77	.762	.25	21.2	.497	.00930	-.07500
101	.762	1.00	21.2	.620	.01480	-.08100
116	.769	2.00	21.3	.675	.04050	-.07600



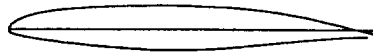
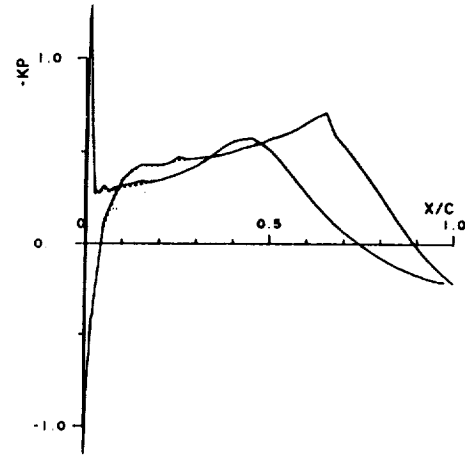
T2 T.D. M=0.765 RE=21.106

NUM.	MACH	ALPHA	RE	CZ	CX	CM
315	.765	-2.00	20.9	.108	.00910	-.07500
311	.764	1.00	21.2	.597	.01360	-.07800
320	.767	2.00	21.0	.692	.03500	-.07600



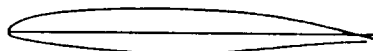
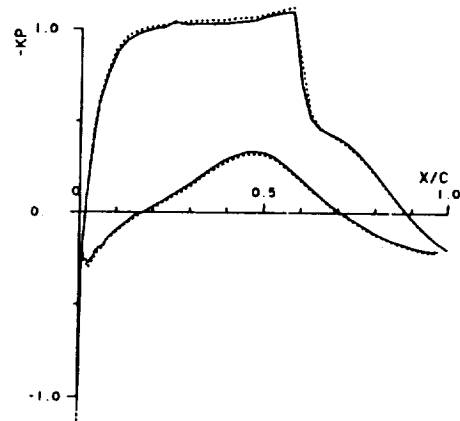
T2 T.N. -T.D. M=.765 RE=21.106 AL=-2

<u>TP</u>	NUM.	MACH	ALPHA	RE	CZ	CX	CM
<u>T.N.</u>	315	.765	-2.00	20.9	.108	.00910	-.07500
	121	.764	-2.00	21.3	.110	.00870	-.07500



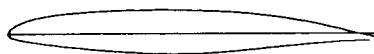
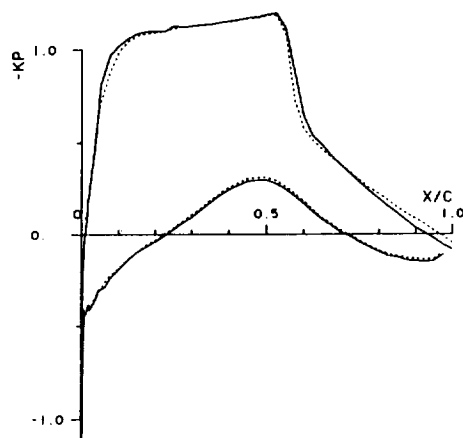
T2 T.N. -T.D. M=.765 RE=21.106 AL=+1

<u>TP</u>	NUM.	MACH	ALPHA	RE	CZ	CX	CM
<u>T.N.</u>	311	.764	1.00	21.2	.597	.01360	-.07800
	101	.762	1.00	21.2	.620	.01480	-.08100



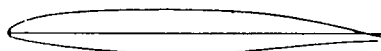
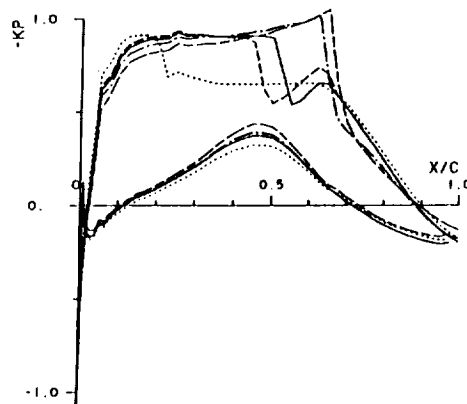
T2 T.N. - T.D. M=.765 RE=21.106 AL=+2

	NUM.	MACH	ALPHA	RE	CZ	CX	CM
<u>TP</u>	320	.767	2.00	21.0	.692	.03500	-.07600
<u>TN</u>	116	.769	2.00	21.3	.675	.04050	-.07600



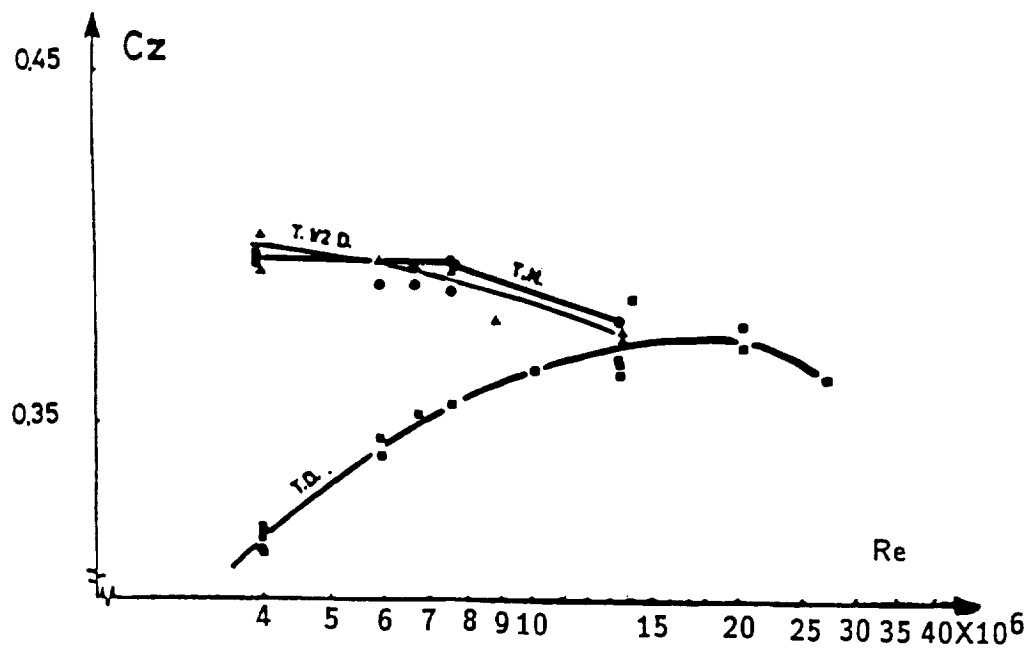
T2 EFFECT MACH EN T.D. RE=25.106 AL=0.25

	NUM.	MACH	ALPHA	RE	CZ	CX	CM
.....	336	.729	.25	24.5	.450	.00870	-.06700
-----	296	.760	.25	25.2	.478	.00940	-.07000
=====	332	.766	.25	25.0	.485	.00970	-.07200
=====	333	.777	.25	25.3	.508	.01130	-.08100
-----	335	.790	.25	25.7	.478	.01660	-.08200



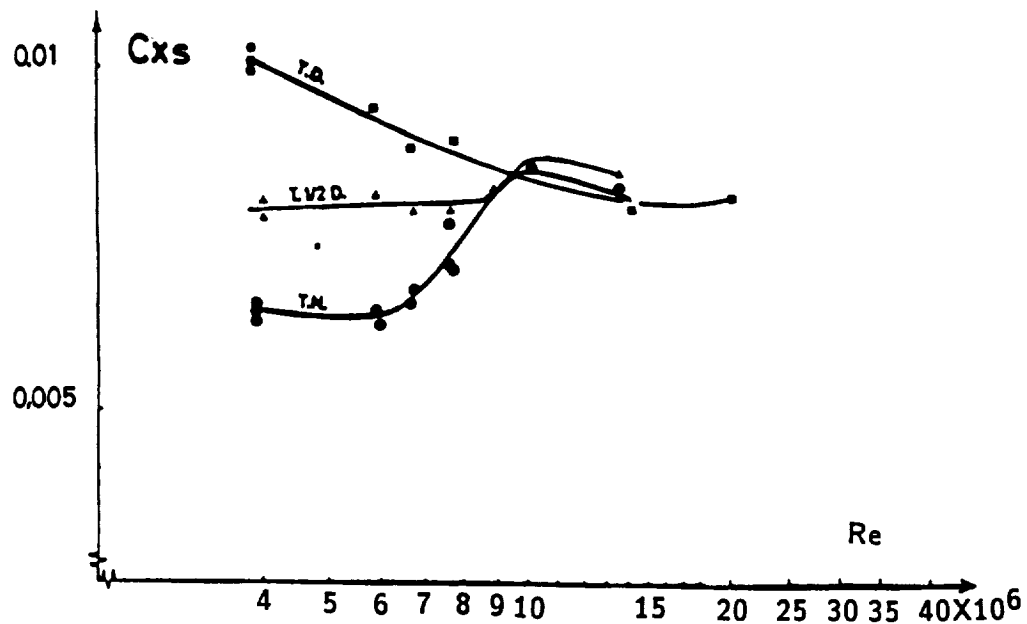
LIFT EVOLUTION WITH REYNOLDS NUMBER

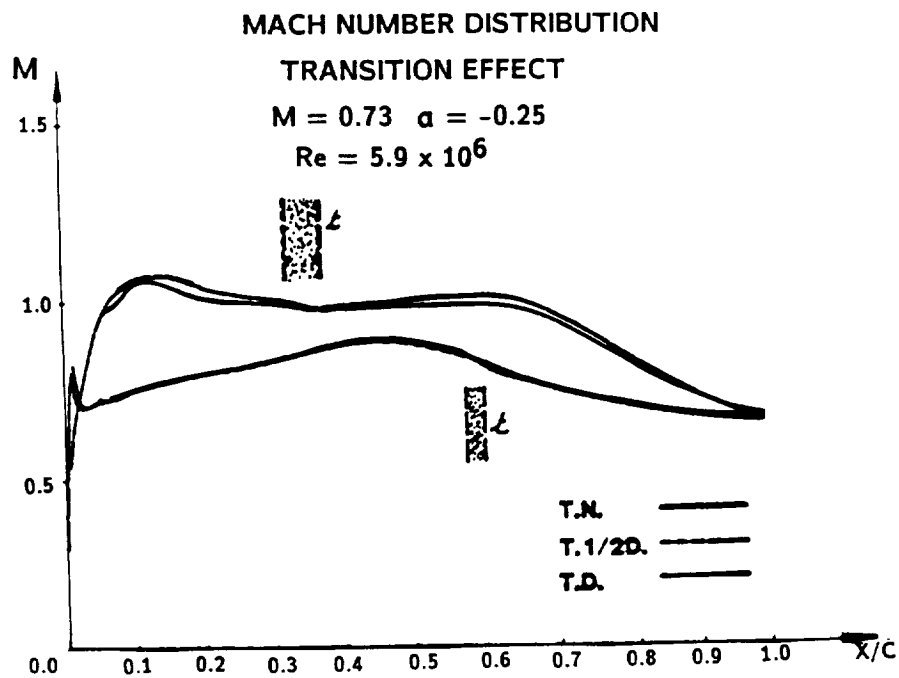
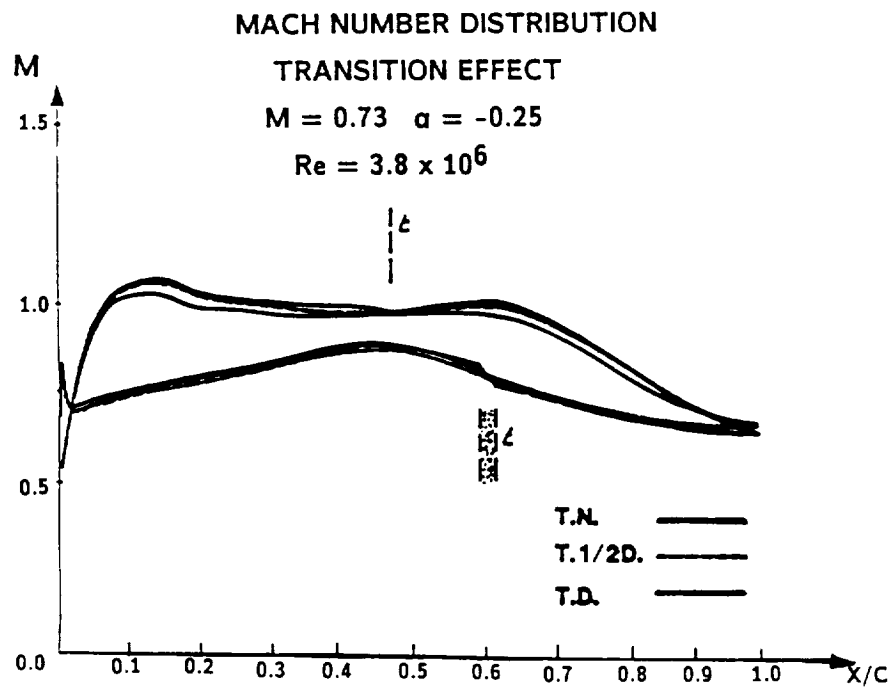
$$M_0 = 0.73 \quad \alpha = -0.25$$

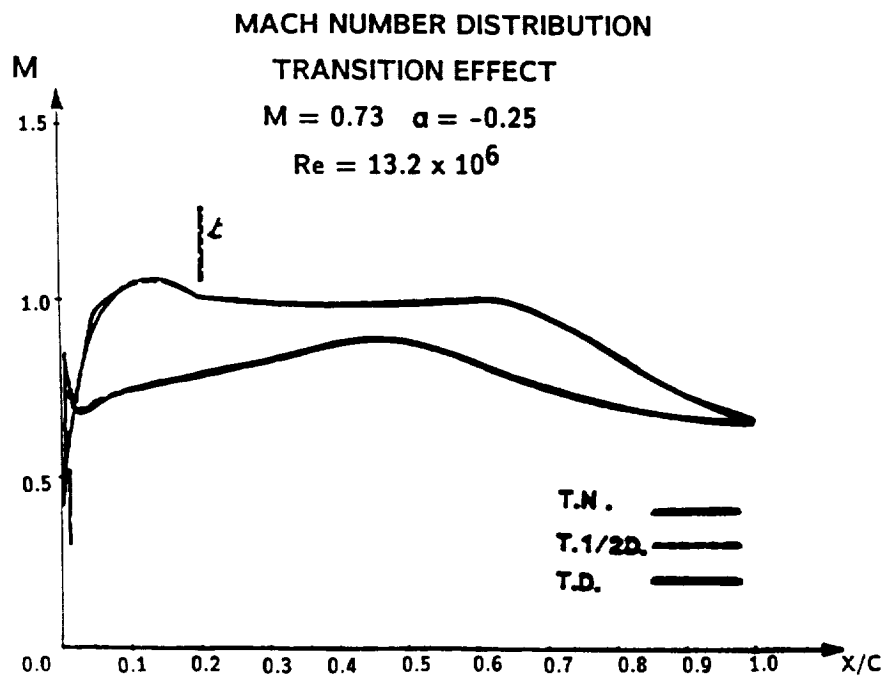
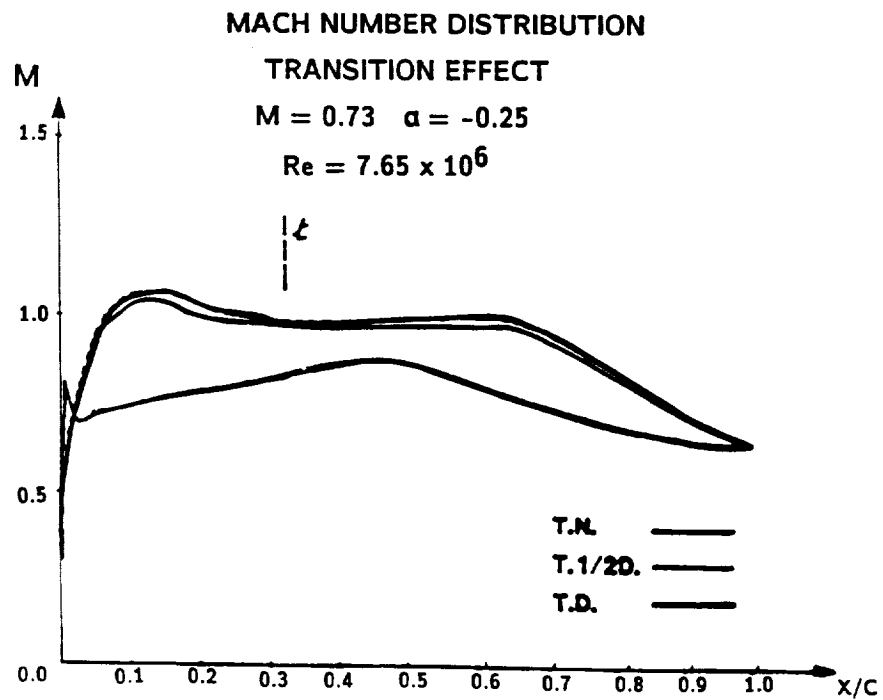


DRAG EVOLUTION WITH REYNOLDS NUMBER

$$M_0 = 0.73 \quad \alpha = -0.25$$







T2 - TCT DATA COMPARISON

- $M = 0.765$ $Re = 4 \times 10^6$
fixed and free transition
Total forces
Pressure
- REYNOLDS NUMBER EFFECT
 $M = 0.76$ $\alpha = -0.25^\circ$

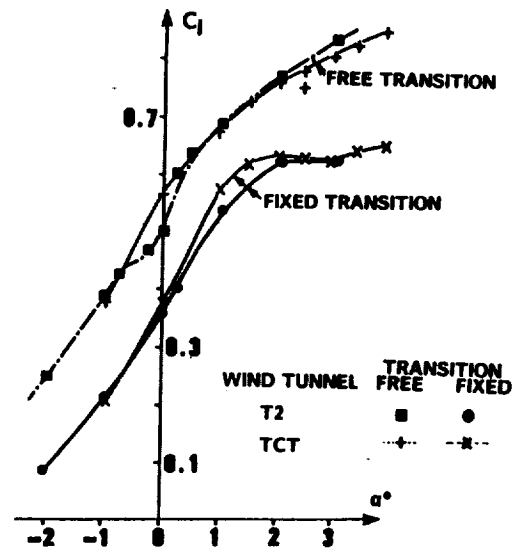
CAST 10 MODEL AND WIND TUNNEL CHARACTERISTICS

- MODEL
CRYOGENIC TECHNOLOGY
CHORD : 180 mm
POSSIBILITY OF MOUNTING IN THE T2, TWB, TCT TUNNELS
EQUIPMENT : 103 PRESSURE HOLES (\varnothing 0.1 mm AND 0.3 mm)
19 THERMOCOUPLES

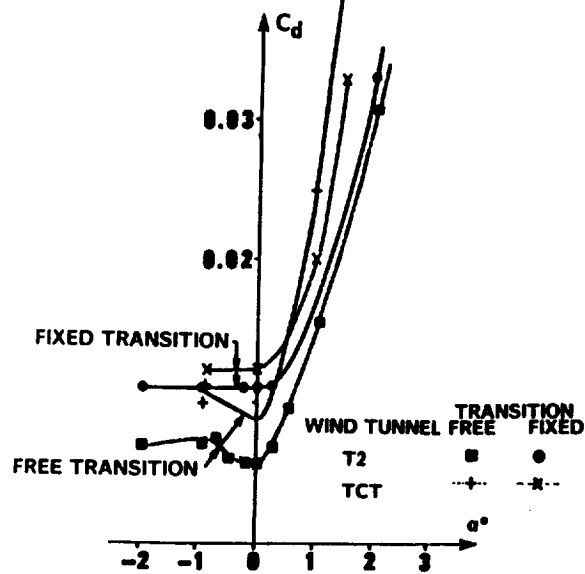
- WIND TUNNEL CHARACTERISTICS

TUNNEL	WALLS	TEST SECTION	$Re \times 10^{-6}$
T2	ADAPTIVE	$0.4 \times 0.4 \text{ m}^2$	4 - 30
TWB	SLOTTED	$0.34 \times 0.6 \text{ m}^2$	4 - 12
TCT	ADAPTIVE	$0.2 \times 0.6 \text{ m}^2$	4 - 45

LIFT COEFFICIENT
TRANSITION EFFECT
 $M = 0.765$
 $Re = 4 \times 10^6$

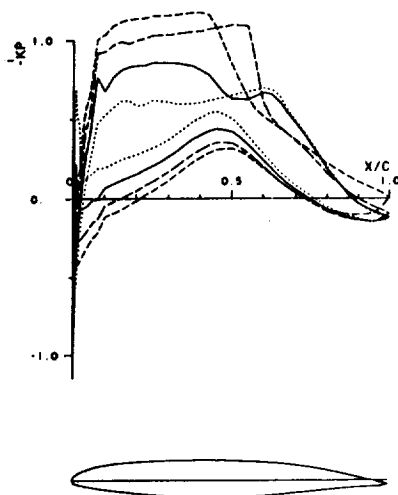


DRAG COEFFICIENT
TRANSITION EFFECT
 $M_o = 0.765$
 $Re = 4 \times 10^6$



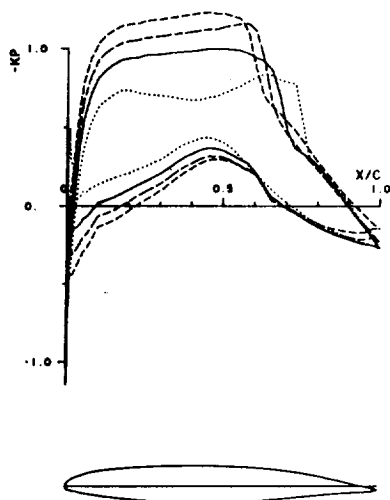
TCT T.D. M=0.765 RE=4.106

NUM.	MACH	ALPHA	RE	CZ	CX	CM
438	.771	.99	4.0	.206	.01193	-.05952
439	.766	-.01	4.0	.378	.01197	-.05732
440	.767	.98	4.0	.570	.02048	-.06661
442	.767	2.00	4.0	.634	.04551	-.06087



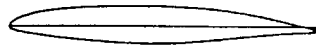
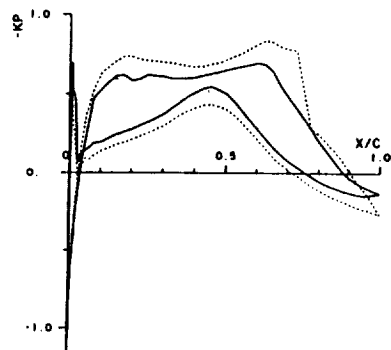
TCT T.N. M=0.765 RE=4.106

NUM.	MACH	ALPHA	RE	CZ	CX	CM
31269	.764	-1.02	4.0	.377	.01042	-.09748
31270	.765	-.02	4.0	.565	.00920	-.09796
31272	.766	.95	4.0	.675	.02453	-.09748
31275	.770	1.98	4.0	.761	.05011	-.09787



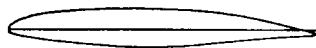
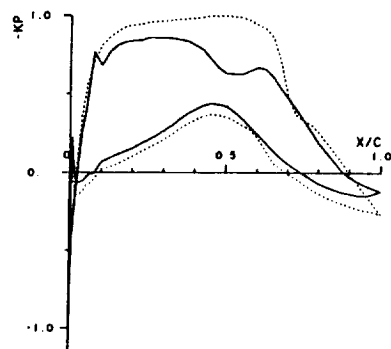
TCT T.N. - T.D. M=.765 RE=4.106 AL=-1.

<u>TP</u>	NUM.	MACH	ALPHA	RE	CZ	CY	CM
<u>T.N.</u>	31269	.764	-1.02	4.0	.377	.01042	-.09748



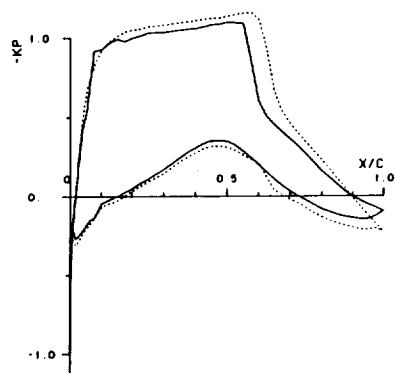
TCT T.N. - T.D. M=.765 RE=4.106 AL= 0.

<u>TP</u>	NUM.	MACH	ALPHA	RE	CZ	CY	CM
<u>T.N.</u>	31270	.765	-0.02	4.0	.378	.01197	-.05732



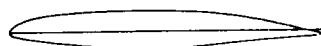
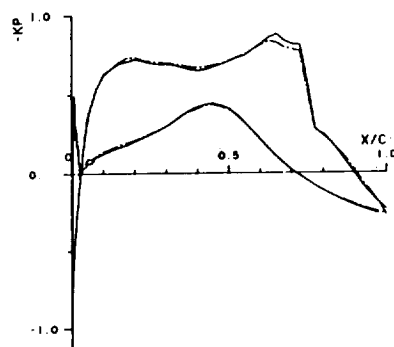
TCT T.N. - T.D. M=.765 RE=4.106 AL=+1.

TP	NUM.	MACH	ALPHA	RE	CZ	CX	CM
.....	440	.767	.98	4.0	.570	.02048	-.06661
.....	31272	.766	.95	4.0	.675	.02453	-.09748



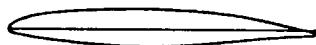
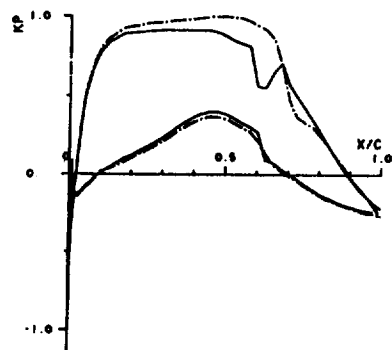
T2-TCT T.N. . M=.765 RE=4.106 AL=-1.

TS	NUM.	MACH	ALPHA	RE	CZ	CX	CM
.....	24	.766	-1.00	4.1	.380	.00730	-.09800
.....	31269	.764	-1.02	4.0	.377	.01042	-.09748



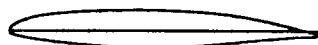
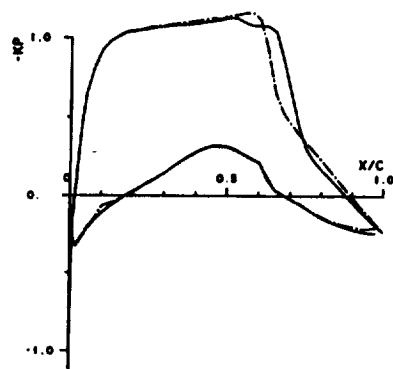
T2-TCT T.N. . M=.765 RE=4.106 AL= 0.

<u>TZ</u>	<u>NUM.</u>	<u>MACH</u>	<u>ALPHA</u>	<u>RE</u>	<u>CZ</u>	<u>CX</u>	<u>CM</u>
<u>767</u>	31270	.765	.00	4.0	.493	.00000	-.08400
			-.02	4.0	.545	.00920	-.09796



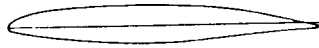
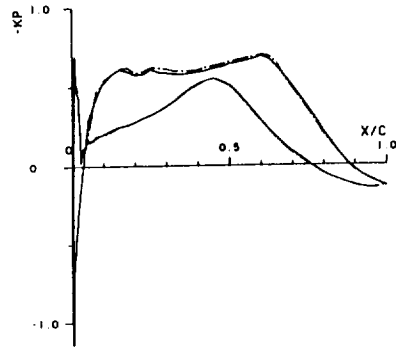
T2-TCT T.N. . M=.765 RE=4.106 AL=.1.

<u>TZ</u>	<u>NUM.</u>	<u>MACH</u>	<u>ALPHA</u>	<u>RE</u>	<u>CZ</u>	<u>CX</u>	<u>CM</u>
<u>767</u>	31272	.765	1.00	4.1	.691	.01570	-.10300
			.95	4.0	.675	.02453	-.09748



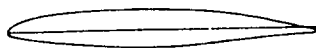
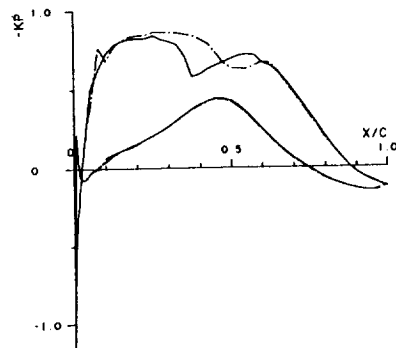
T2-TCT T.D. M=.765 RE=4.106 AL=-1.0

<u>TX</u>	NUM	MACH	ALPHA	RE	CZ	CX	CM
<u>TCT</u>	270	.765	-1.00	40.0	.199	.01080	-.05800
	438	.771	-.99	4.0	.206	.01193	-.05952



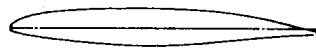
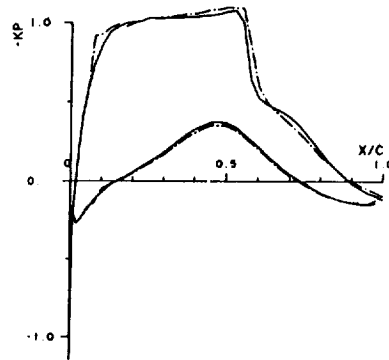
T2-TCT T.D. M=.765 RE=4.106 AL= 0.0

<u>TX</u>	NUM	MACH	ALPHA	RE	CZ	CX	CM
<u>TCT</u>	251	.762	.00	4.0	.359	.01090	-.05600
	439	.766	-.01	4.0	.378	.01197	-.05732

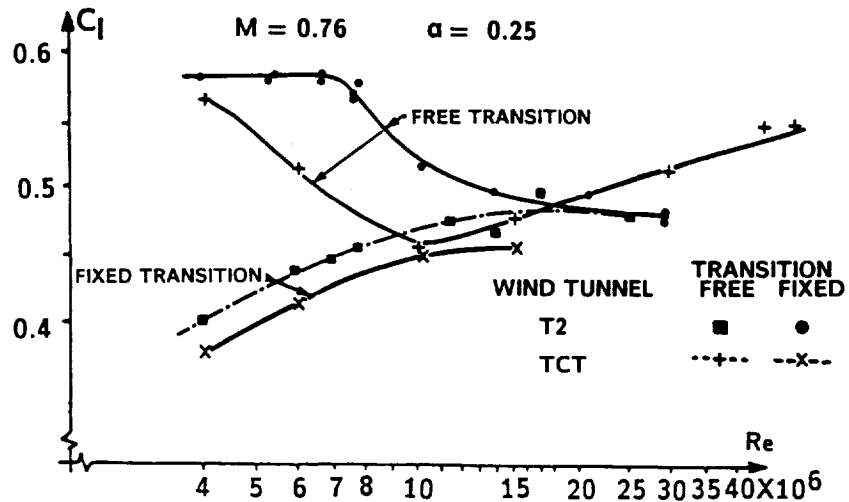


T2-TCT T.D. M=.765 RE=4.106 AL=+1.0

<u>T2</u>	NUM.	MACH	ALPHA	RE	CZ	CX	CM
246	246	.765	1.00	4.1	.542	.01580	-.06300
440	440	.767	.98	4.0	.570	.02048	-.06661

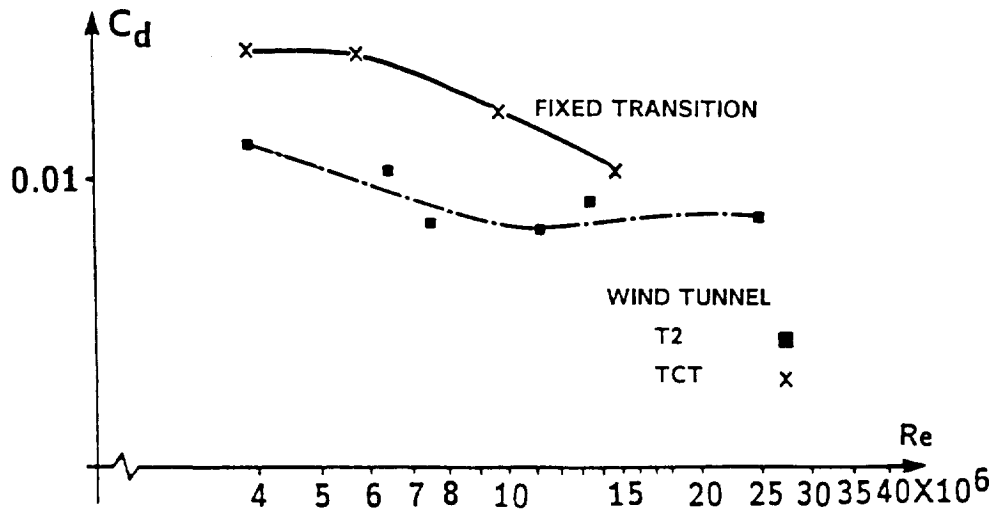


EVOLUTION OF THE LIFT COEFFICIENT WITH THE REYNOLDS NUMBER TRANSITION EFFECT



EVOLUTION OF THE DRAG WITH THE REYNOLDS NUMBER

$M = 0.76$ $\alpha = 0.25$



COMPUTER CODES DESCRIPTION

POTENTIAL CODES (finite difference)

- AP 27

Inviscid flow : Garabedian and Korn method (nonconservative)
Boundary layer : Michel method
Weak coupling
No wake computation

- VISC 05

Inviscid flow : Chattot method
Boundary layer { Le Balleur method
Strong coupling {
Wake computation
Nonconservative or conservative options
C type mesh

NAVIER STOKES CODE (Veulliot-Cambier)

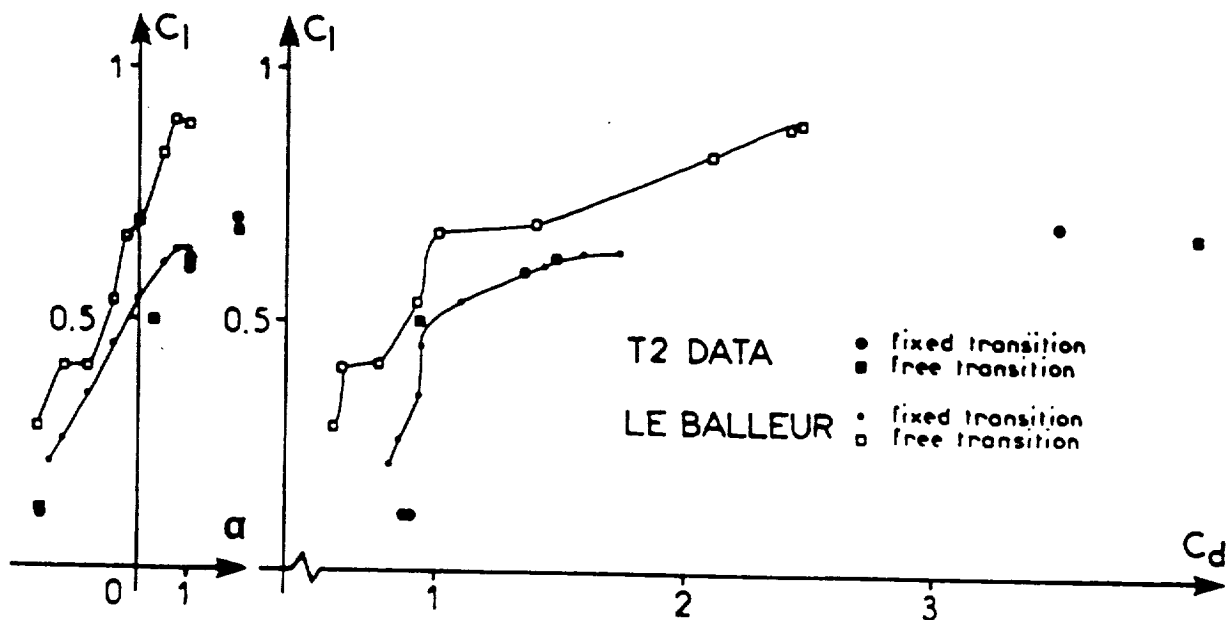
Compressible N.S equation with constant total enthalpy 3-possible turbulence models (Michel, Baldwin-Lomax, K- ϵ)
Explicit finite difference scheme
Local time step
Multigrid acceleration technique
Far field boundary conditions treatment using characteristics relations
C type mesh

THEORY - EXPERIMENT COMPARISONS

- $M = 0.765$ $Re = 21 \times 10^6$
 Total forces
 Pressure: free transition $C_l \sim 0.5$
 Side wall B.L. effect simulation
- $M = 0.765$ $Re = 25 \times 10^6$
 Pressure: fixed transition $C_l \sim 0.5$
- Mach number effect $Re = 25 \times 10^6$
 fixed transition
 Pressure
 Total forces
- $M = 0.73$ $C_l \sim 0.35$
 fixed transition
- Reynolds number effect
 $M = 0.73$ $\alpha = -0.25^\circ$
 Total forces

THEORY EXPERIMENT COMPARISON

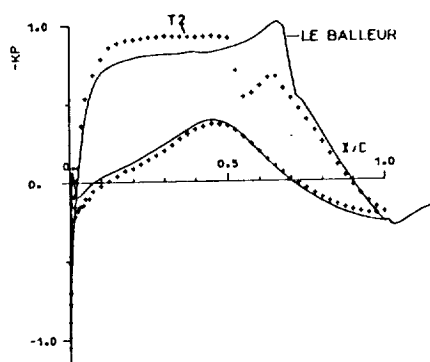
$M = 0.765$ $Re = 21 \times 10^6$



THEORY-EXPERIMENT COMPARISON

FREE TRANSITION

NUM.	MACH	ALPHA	RE	CZ	CX	CM
65	.765	-.64	21.0	.501	-.00870	-.10711
77	.762	.25	21.2	.497	.00930	-.07500

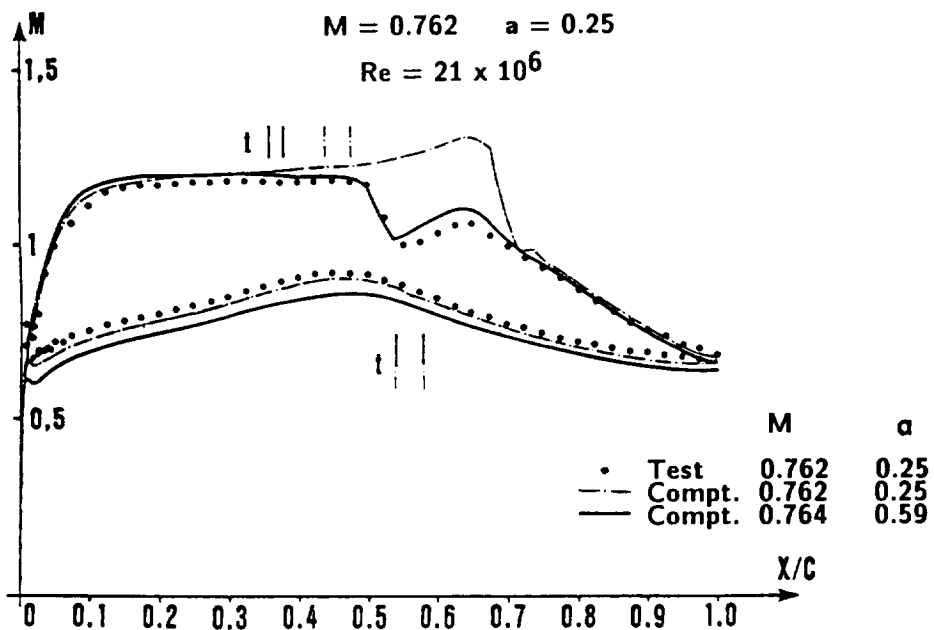


TEST - THEORY COMPARISON

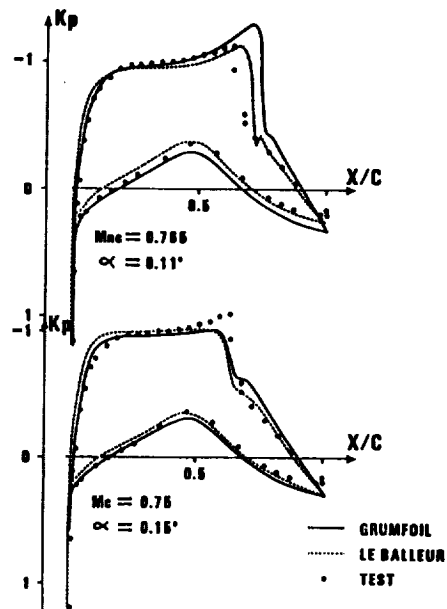
FREE TRANSITION

$M = 0.762$ $\alpha = 0.25$

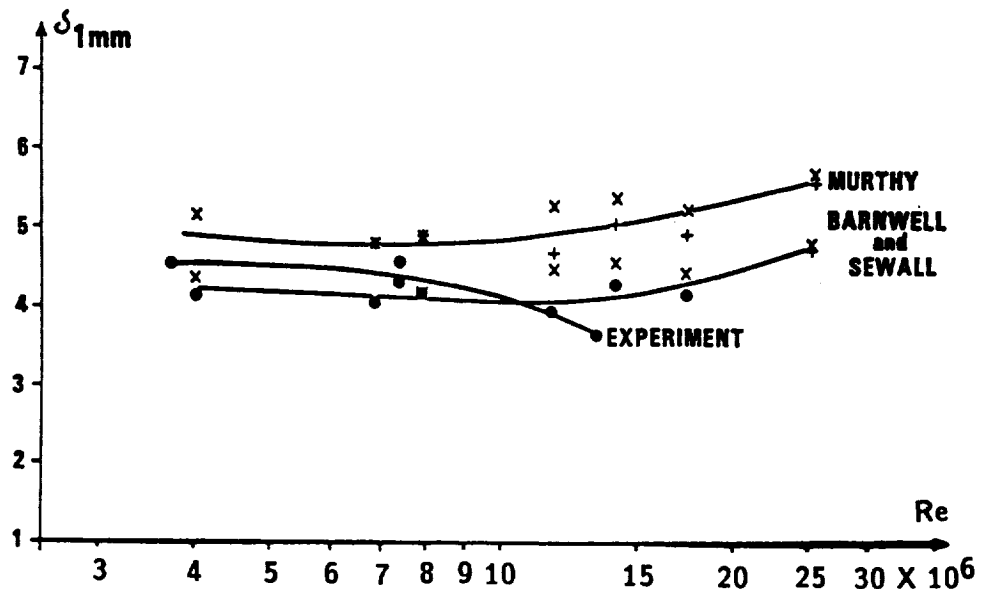
$Re = 21 \times 10^6$



COMPUTER CODE COMPARISONS
 $Re = 15 \times 10^6$



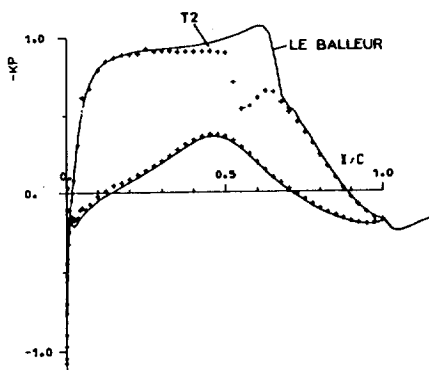
LATERAL WALL B.L.EFFECT
 FIXED TRANSITION



THEORY - EXPERIMENT COMPARISON

FIXED TRANSITION

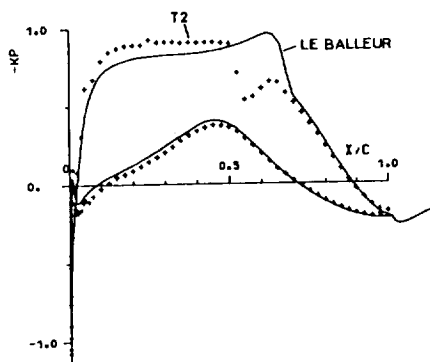
NUM.	MACH	ALPHA	RE	CZ	CX	CM
1	.765	.25	25.0	.581	.0129	-.09774
332	.766	.25	25.0	.485	.00970	-.07200



THEORY-EXPERIMENT COMPARISON

FIXED TRANSITION

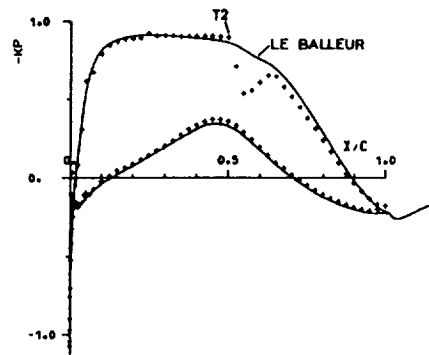
NUM.	MACH	ALPHA	RE	CZ	CX	CM
21	.766	-.35	25.0	.484	.00990	-.09392
332	.766	.25	25.0	.485	.00970	-.07200



THEORY - EXPERIMENT COMPARISON

FIXED TRANSITION

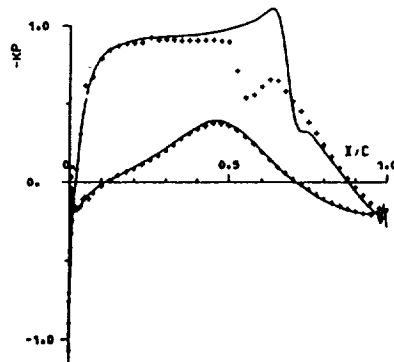
NUM.	MACH	ALPHA	RE	CZ	CX	CM
61	.748	.00	24.7	.542	.00800	-.08766
332	.766	.25	25.0	.485	.00970	-.07200



N.S. CALCULATIONS

FIXED TRANSITION

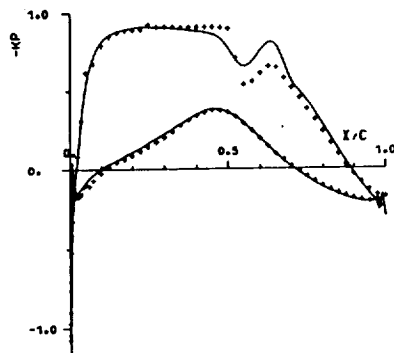
NUM.	MACH	ALPHA	RE	CZ	CX	CM
102	.765	.25	25.0	.540	.01381	.00000
332	.766	.25	25.0	.485	.00970	-.07200



N.S. CALCULATIONS

FIXED TRANSITION

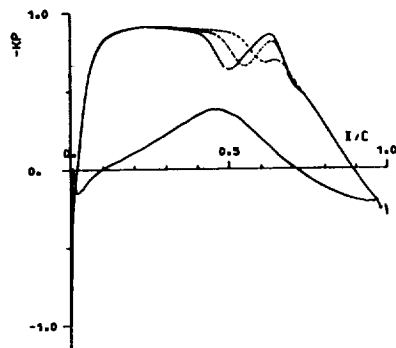
NUM.	MACH	ALPHA	RE	CZ	CX	CM
105	.750	.00	25.0	.498	.00987	.00000
332	.766	.26	25.0	.485	.00970	-.07200



N.S. CALCULATIONS

MACH NUMBER EFFECT

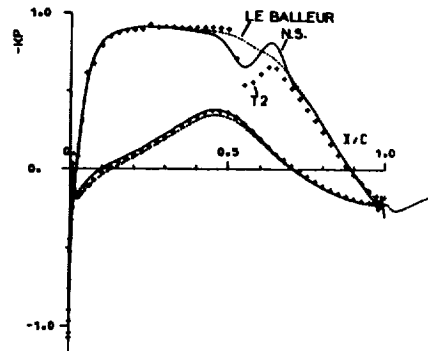
NUM.	MACH	ALPHA	RE	CZ	CX
103	.748	.00	25.0	.493	.00989
105	.750	.00	25.0	.498	.00987
104	.752	.00	25.0	.504	.00986



THEORY - EXPERIMENT COMPARISON

FIXED TRANSITION

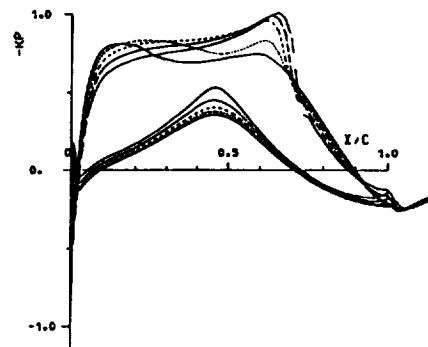
NUM.	MACH	ALPHA	RE	CZ	CX	CM
106	.750	.00	25.0	.498	.00987	.00000
61	.748	.00	24.7	.542	.00800	-.08765
932	.768	.25	25.0	.485	.00970	-.07200



"LE BALLEUR" CALCULATIONS

FIXED TRANSITION

NUM.	MACH	ALPHA	RE	CZ	CX	CM
41	.730	-.35	24.3	.453	.00780	-.08340
42	.750	-.35	24.7	.473	.00800	-.08723
21	.768	-.35	25.0	.484	.00990	-.09392
43	.777	-.35	25.2	.445	.01190	-.09125
44	.790	-.35	25.4	.394	.01440	-.08752

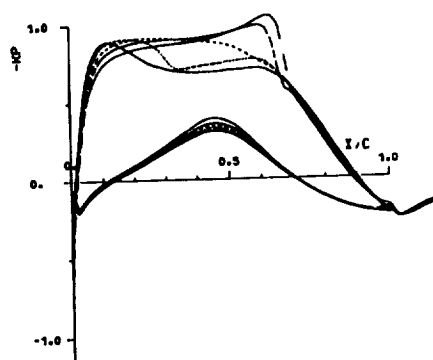


"LE BALLEUR" CALCULATIONS

FIXED TRANSITION

(corrected Mach numbers)

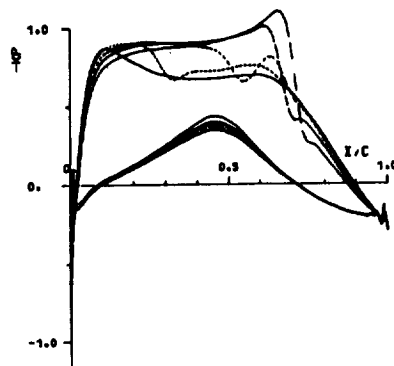
	NUM.	MACH	ALPHA	RE	CZ	CX	CM
=====	87	.711	.00	24.0	.489	.00760	-.08154
=====	88	.732	.00	24.4	.517	.00780	-.08379
-----	81	.748	.00	24.7	.542	.00800	-.08765
-----	89	.758	.00	24.9	.552	.00970	-.09453
-----	70	.772	.00	25.1	.530	.01270	-.09727



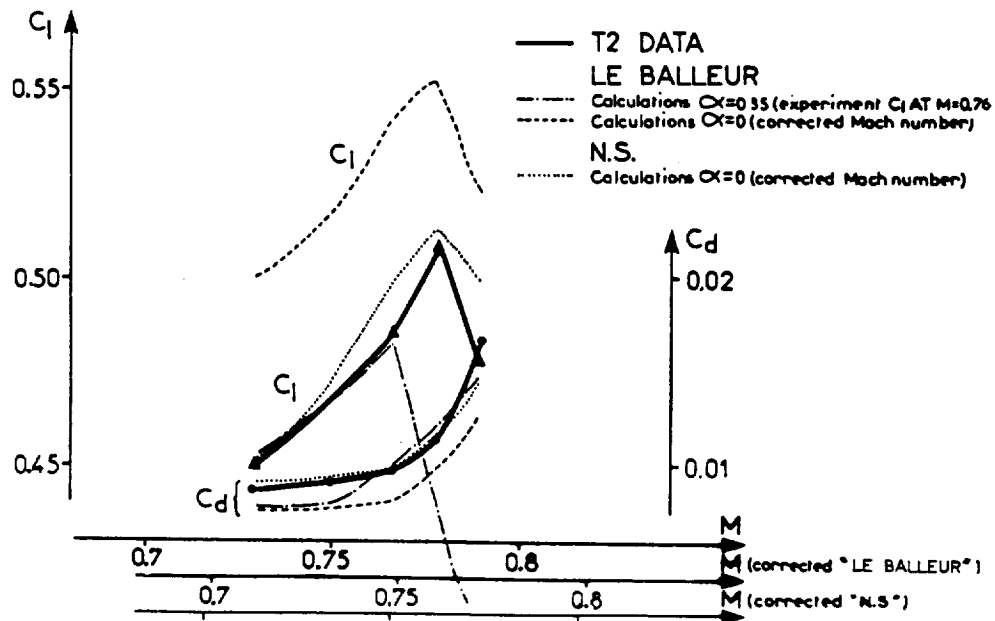
N.S. CALCULATIONS

(corrected Mach numbers)

	NUM.	MACH	ALPHA	RE	CZ	CX
=====	109	.713	.00	25.0	.452	.00908
=====	108	.734	.00	25.0	.473	.00943
-----	105	.750	.00	25.0	.498	.00987
-----	107	.761	.00	25.0	.513	.01116
-----	106	.774	.00	25.0	.499	.01461

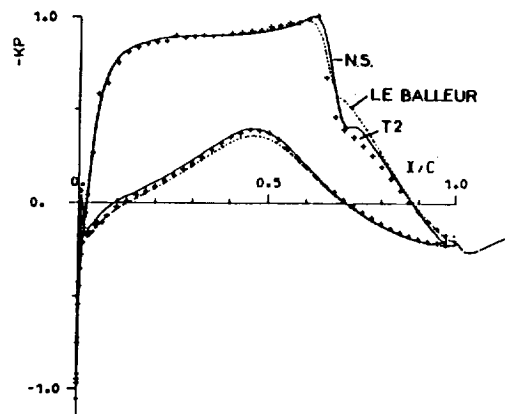


THEORY EXPERIMENT COMPARISON FIXED TRANSITION



THEORY-EXPERIMENT COMPARISON FIXED TRANSITION

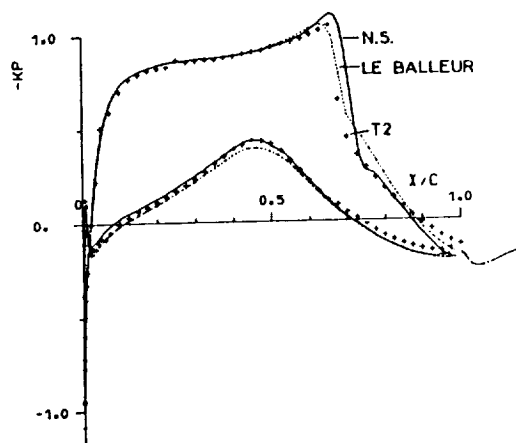
NUM.	MACH	ALPHA	RE	CZ	CX	CM
107	.761	.00	25.0	.513	.01115	.00000
69	.759	.00	24.9	.552	.00970	-.09453
333	.777	.25	25.3	.508	.01130	-.08100



THEORY-EXPERIMENT COMPARISON

FIXED TRANSITION

	NUM.	MACH	ALPHA	RE	CZ	CX	CM
—	106	.774	.00	25.0	.499	.01461	.00000
---	70	.772	.00	25.1	.530	.01270	-.09727
•	335	.790	.25	25.7	.478	.01660	-.08200



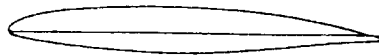
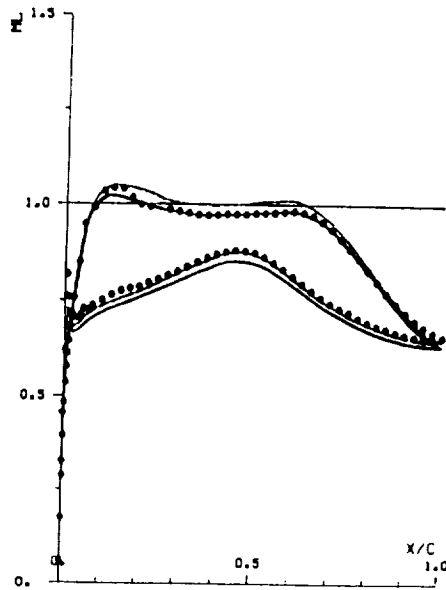
THEORY - EXPERIMENT COMPARISON

LE BALLEUR'S METHOD

FIXED TRANSITION

REC.C.FORT ESSAI M=0.73 I=-0.25

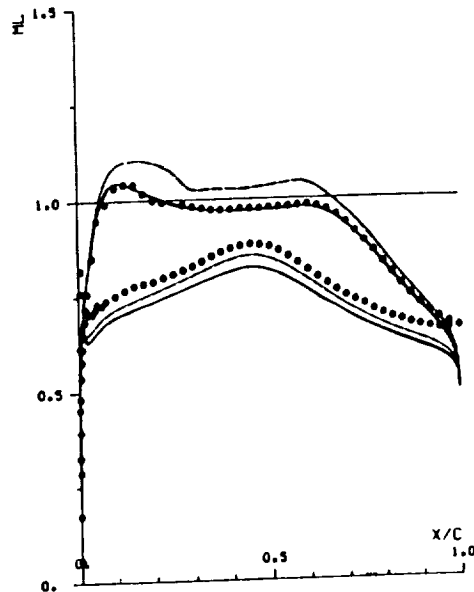
NUM.	MACH	ALPHA	RE	CZ	CX	CM
273	.727	-.25	7.6	.350	.00090	-.06400
1	.727	-.25	7.6	.409	.01167	-.07148
2	.715	-.25	7.5	.411	.01138	-.07233



THEORY - EXPERIMENT COMPARISON WEAK COUPLING METHOD

REC.C.FAIBLE ESSAI $M=0.73$ $I=-0.25$

NUM.	MACH	ALPHA	RE	CZ	CX	CM
273	.727	-.25	7.6	.350	.00890	-.06400
1	.727	-.25	7.6	.529	.00987	-.09253
2	.705	-.25	7.6	.498	.00953	-.08734



CONCLUSIONS

- 1) T2 DATA
 - . CAST 10 AIRFOIL VERY SENSITIVE TO :
 - TRANSITION LOCATION
 - MACH NUMBER
 - REYNOLDS NUMBER
 - . T2 DATA VERY WELL DOCUMENTED AT LOW AND MEDIUM REYNOLDS NUMBERS
 - . T2 DATA SHOWS LARGE EXTENT OF LAMINAR FLOW UP TO Re 10
 - . TRANSITION LOCATION DISPLACEMENTS CONTROL
 - C_L , C_D EVOLUTIONS VERSUS ANGLE OF ATTACK
 - C_L , C_D EVOLUTIONS VERSUS Re NUMBER
- 2) T2 - TCT DATA COMPARISONS
 - . TCT DATA SHOW LESS LAMINAR FLOW THAN T2 AT THE SAME Re NUMBER
 - . FIXED TRANSITION DATA SEEMS TO CORRELATE CORRECTLY
 - . MORE COMPARISONS ARE NEEDED AT HIGH Re NUMBER
- 3) TEST - THEORY COMPARISONS
 - . CORRELATIONS ARE POOR USING THE SAME MACH NUMBER
 - . SIDEWALL-B-L CORRECTIONS IMPROVE COMPARISONS
 - . NS COMPUTATIONS (WITH CORRECTED MACH NUMBERS) GIVE GOOD CORRELATIONS FOR :
 - C_L , C_D
 - PRESSURE

